

*** DESIGN CALCULATIONS COVER SHEET ***

Page 1

SDS/2 v 6.322

SYMBOLS

A	Section gross area or Dimension from weld line to C/L bolts for a single-plate shear connection
Ab	Bolt area based on nominal diameter
Ae	Effective net area
Afg	Gross beam flange area
Afn	Net beam flange area
Ag	Gross area
Agt	Gross tension area
Agv	Gross shear area
An	Net area
Ant	Net tension area
Anv	Net shear area
Ast	Cross sectional area of a pair of stiffeners
At	Net tension area
Av	Net shear area
B	Allowable tension per bolt, AISC Page 4-90
Bc	Bolt tension including prying action
Bf	Section flange width
C	Fastener or weld group coefficient (e.g. TABLE XI, XIX) ultimate strength method unless noted.
Ca	Coefficient used in moment end PL design
Cc	Slenderness ratio separating elastic & inelastic buckling
Cdb	Bottom cope depth
Cdt	Top cope depth
CJP	Complete joint penetration -- weld
Clb	Bottom cope length
Clip_stbk	Dim. from face of clip angle to end of beam
Clt	Top cope length
Col_spa	Spacing between bolt columns
Column	Number of fasteners perpendicular to the line of force
Cn_depth	Connection element depth
Cn_thick	Connection element thickness
Cn_width	Connection element width
Cv	Ratio of critical web stress to the shear yield stress of the web material
D	Section depth
Db	Nominal bolt diameter
Dc	Depth of column web clear of fillets
Dh	Hole dimension: Db + 1/16 (2 mm), ASD shear limit state Db + 1/8 (4 mm), ASD tension limit state. Nominal dim of bolt hole + 1/16, LRFD

E	Modulus of elasticity of steel 29,000 KSI (200,000 MPa)
Eff_weld	Max. effective weld size based on mtrl thickness, <= actual weld size
Et	Composite slab eff. width MIN[Ln/4, Bm spacing] (I1.a,b)
Fa	Allowable axial stress
Fb	Allowable bending stress
Fbt	A325 or A490 bolt material min. tensile stress
Fbu	A325 or A490 bolt material min. yield stress
Fcr	Critical stress
Fil_rad	Rolled section fillet radius, K_dist - Tf
Fn	Nominal shear rupture strength
Ft	Allowable tensile stress
Fp	Allowable bearing stress, calculated using J3.7,8,9 for bolts or J8 for contact surfaces.
Fu	Specified material minimum tensile stress
Fv	Allowable shear stress
Fw	Nominal weld strength, talbe J2.5
Fexx	Nominal specified tensile strength of weld metal
Fr	Allowable force on a weld
Fy	Specified Material minimum yield stress
H	Width of HSS section connecting to a gusset plate
Hb	Horiz. interface force between gusset & beam
Hc	Horiz. interface force between gusset & col.
Ip	Polar moment of inertia
Ix	Moment of inertia
Ix_net	Net moment of inertia
K	Effective length factor
K_dist	Rolled section (k) dist., flg. to toe of fillet
Kl_dist	W shape, C/L web to toe of fillet
La	Lever arm from load to C.G. of bolt or weld group
Lb	Unbraced length of section or element
Le	Distance from free edge to center of bolt in the direction of the line of transmitted force.
Leff	Effective web length, stiffener design
Leg	Leg size against beam web, clip angle connection or leg size against gusset for angle brace
Lh	Horizontal edge distance from fastener C/L
Ln	Beam span length
Lv	Vertical edge distance from fastener C/L
Mb	Moment at brace gusset and beam interface
Mc	Moment at brace gusset and col. interface
Min_brg	Calculated minimum beam bearing length
Mn	Nominal flexural strength
Moment	Beam end moment, (+) = clockwise beam end rotation
Mp	Beam plastic moment strength
Mr	Beam elastic moment strength
Mu	Required flexural strength
N	Length of bearing

Osl	Outstanding angle leg size
Pair	Pairs of transverse beam stiffeners, 1 or 2
Pbf	Factored flange or connection plate force; computed flange force multiplied by a load factor
PHI	LRFD resistance factor
PI	3.14159.....
Pn	Nominal axial strength
Pu	Required tensile or compressive strength
Q	Prying force per bolt at design load, AISC pg 4-90
Qs	Stress reduction factor, Appendix B
Rbs	Resistance to block shear
Rn	Nominal strength
Ro	Shear tab or tee strength at yield
Row	Number of fasteners in the line of force
Rstr	Bolt slip resistance, (A-J3-1)
Rv	Force transmitted by one fastener
Setback	Dist from face of support to end of beam
Shear	Number of shear planes: (1 = single shear; 2 = double shear)
Sn	Section modulus of the coped portion of a beam
Spa or S	Bolt spacing
SQR[]	Square of expression in brackets
SQRT[]	Square root of expression in brackets
Sx	Section modulus
Sx_net	Net section modulus
S_g	$S^2/4g$, AISC section B2
T_allow	Allowable tension per bolt
Tb	A325 or A490 bolt pre-tension: ASD Table J3.7 LRFD Table J3.1
Tc	HSS brace welded pl end fitting, cap plate thickness
Tf	Flange or angle leg thickness
Tw	Web or tube wall thickness
Ts	HSS brace welded pl end fitting, tee stem thickness
T_slab	Concrete slab thickness, composite design
T_sup	Thickness of supporting member
U	Shear lag reduction coefficient, Chapter B3 or HSS manual, specification section 2.1
Vb	Vert. force at gusset-beam interface
Vc	Vert. force at gusset-column interface
Vn	Nominal shear strength
Weld_size	Fillet weld leg size or groove weld throat
Weld_len	Length of weld
Weld_spa	Spacing between two parallel weld segments
Wg	Element gross width
Wn	Element net width
Ws	'Whitmore' section width, gusset Pl design
Zx	Plastic section modulus
Ze	Effective plastic section modulus

a	Clear dist. between transverse stiffeners
b	Width of compression element, or other part
c	Cope length from end of beam web
d	Depth of connected element
dc	Beam cope depth
e	Cope length from face of conn. or weld line
eb	Shear tab bolt design eccentricity
ew	Shear tab weld design eccentricity
fa	Calculated axial stress
fb	Calculated bending stress
fp	Calculated bearing stress
fr	Calculated force on a weld
ft	Calculated tension stress
fv	Calculated shear stress
f'c	Compression strength of concrete
g	Angle leg gage
g1,g2	Angle leg gages, 5 in or larger leg size
h	Clear dist. between flanges of a beam or girder.
ho	Depth of the remaining web at a coped beam section
kl	Horiz. weld segment length, Table XXII
kv	Shear buckling coefficient for girder webs
l	Length
n	Modular ratio E_s/E_c , 9
r	Radius of gyration
t	Thickness of connected element
tc	Thickness of connected element required to develop 'B' in bolts with no prying action, ASD AISC pg 4-90

Manual of Steel Construction, LRFD Third Edition.

Load and Resistance Factor Design Specification for
Structural Steel Buildings, December 27, 1999

Hollow Structural Sections Connections Manual, 1997

TENSION MEMBERS

Gross section yielding: $\text{PHI} = .9$
 $P_n = F_y * A_g$ (D1-1)
 Design strength = $\text{PHI} * P_n$

Net section fracture: $\text{PHI} = .75$
 $P_n = F_u * A_e$ (D1-2)
 Design strength = $\text{PHI} * P_n$

COMPRESSION MEMBERS

Width-thickness ratios < Lambda_r from B5.1:

$\text{PHI} = .85$
 Design strength = $\text{PHI} * P_n$
 $P_n = A_g * F_{cr}$

For $\text{Lambda}_c \leq 1.5$,
 $F_{cr} = (.658)^{(\text{SQR}[\text{Lambda}_c])} * F_y$ (E2-2)

For $\text{Lambda}_c > 1.5$,
 $F_{cr} = [.877 / \text{SQR}[\text{Lambda}_c]] * F_y$ (E2-1)

$\text{Lambda}_c = K_l / (r * \text{PI}) * \text{SQRT}[F_y / E]$ (E2-4)

Width-thickness ratios > Lambda_r from B5.1:

Reduction factor Q_s :

Angles:

$76 / \text{SQRT}[F_y] < b/t < 155 / \text{SQRT}[F_y]$:
 $Q_s = 1.34 - .00447 * (b/t) * \text{SQRT}[F_y]$ (A-B5-3)

$b/t \geq 155 / \text{SQRT}[F_y]$:
 $Q_s = 15500 / (F_y * \text{SQR}[b/t])$ (A-B5-4)

Plates:

$95 / \text{SQRT}[F_y] < b/t < 176 / \text{SQRT}[F_y]$:
 $Q_s = 1.415 - .00437 * (b/t) * \text{SQRT}[F_y]$ (A-B5-5)

$b/t \geq 176 / \text{SQRT}[F_y]$:
 $Q_s = 20000 / (F_y * \text{SQR}[b/t])$ (A-B5-4)

Stems of tees:

$127 / \text{SQRT}[F_y] < b/t < 176 / \text{SQRT}[F_y]$:
 $Q_s = 1.908 - .00715 * (b/t) * \text{SQRT}[F_y]$ (A-B5-6)

$b/t \geq 176 / \text{SQRT}[F_y]$:
 $Q_s = 20000 / (F_y * \text{SQR}[b/t])$ (A-B5-7)

BMS AND FLEXURAL MEMBERS

Yielding: $\text{PHI} = .9$
 $M_n = M_p = F_y * Z$ (F1-1)
 Design strength = $\text{PHI} * M_n$

Weak axis bending/bars: $M_r = F_y * S_x$ (F1-11)
 Design strength = $\text{PHI} * M_r$

Shear strength: $\text{PHI} = .9$
 $V_n = \text{nominal shear strength}$

$h/T_w \leq 418/\text{SQRT}[F_y]$
 $V_n = .6 * F_y * A_w$ (F2-1)

$h/T_w \leq 535/\text{SQRT}[F_y]$
 $V_n = .6F_y * A_w (418/\text{SQRT}[F_y] / (h/T_w))$ (F2-2)

$h/T_w \leq 260$
 $V_n = 132000 * A_w / \text{SQRT}[h/T_w]$ (F2-3)
 Design Strength = $\text{PHI} * V_n$

COMBINED FORCES:

$P_u / (\text{PHI} * P_n) \geq .2$
 $P_u / (\text{PHI} * P_n) + 8/9 (M_u / (\text{PHI} * M_n)) \leq 1$ (H1-1a)

$P_u / (\text{PHI} * P_n) < .2$
 $P_u / (2 * \text{PHI} * P_n) + 8/9 (M_u / (\text{PHI} * M_n)) \leq 1$ (H1-1b)

WELDS

Fillet welds: $\text{PHI} = .75$
 $F_w = .6 * F_{exx}$

Linear weld group loaded in-plane through the
 center of gravity:
 $F_w = .6F_{exx}(1.0 + .5 (\text{SIN}[\text{Theta}])^{1.5})$ AJ2.4

CJP welds: $\text{PHI} = .9$
 $F_w = F_y$

Design strength = $\text{PHI} * F_w * A_w$

FASTENERS

Tensile strength: $\text{PHI} = .75$
 Design Strength = $\text{PHI} * F_n * A_b$
 ($F_n = \text{Tensile strength from table J3.2}$)

Shear strength:
 Brg type connectors $\text{PHI} = .75$
 $F_n = \text{Value from table J3.2}$
 Design strength = $\text{PHI} * F_n * A_b$

SC at factored load $R_{str} = 1.13 * \mu * T_m$ AJ3.8b
 T_m min fastener tension, table J3.1
 $\mu = .33$ for class A surfaces
 $\mu = .50$ for class B surfaces
 $\mu = .35$ for class C surfaces
 $\Phi = 1.0$ for STD holes
 $\Phi = .85$ for OVS * SSL holes
 $\Phi = .75$ for LSLT holes
 $\Phi = .60$ for LSLP holes
Design strength = $\Phi * R_{str}$

Bearing strength at bolt holes

STD, SSL, OVS hole types:

$$R_n = 1.2 * L_c * t * F_u \leq 2.4 * d * t * F_u \quad (J3-2a)$$

LST hole type:

$$R_n = 1.0 * L_c * t * F_u \leq 2. * d * t * F_u \quad (J3-2c)$$

$\Phi = .75$

Design strength = $\Phi * R_n$

Combined tension and shear, brg type bolts:

$\Phi = .75$, Design strength = $\Phi * F_t * A_b$

F_t = value from TABLE J3.5

Combined tension and shear, slip-critical bolts

designed at factored loads:

$$R_{str} = 1.13 * \mu * T_m * [1 - T_u / (1.13 * T_m)] \quad (A-J3-2)$$

SHEAR RUPTURE STRENGTH:

$\Phi = .75$

$R_n = .6 * F_u * A_{nv}$

(J4-1)

Design strength = $\Phi * R_n$

TENSION RUPTURE STRENGTH:

$\Phi = .75$

$R_n = F_u * A_{nt}$

(J4-2)

Design strength = $\Phi * R_n$

BLOCK SHEAR RUPTURE STRENGTH:

$\Phi = .75$

$$R_n = \text{MAX}[(.6F_y A_{gv} + F_u A_{nt}), (.6F_y A_{nv} + F_y A_{gt})] \quad (J4-3a) \quad (J4-3b)$$

Design strength = $\Phi * R_n$

TENSION YIELDING OF A CONNECTING ELEMENT:

$\Phi = .9$

$R_n = A_g F_y$

(J5-1)

Design strength = $\Phi * R_n$

TENSION RUPTURE OF A CONNECTING ELEMENT:

$\Phi = .75$

$R_n = A_n F_u$

(J5-2)

Design strength = $\Phi * R_n$

SHEAR YIELDING OF A CONNECTING ELEMENT:

$$\begin{aligned} \text{PHI} &= .9 \\ \text{Rn} &= .6\text{AgFy} \\ \text{Design strength} &= \text{PHI} * \text{Rn} \end{aligned} \quad (\text{J5-3})$$

BEARING STRENGTH:

$$\begin{aligned} \text{PHI} &= .75 \\ \text{Rn} &= 1.8\text{FyApb} \\ \text{Design strength} &= \text{PHI} * \text{Rn} \end{aligned} \quad (\text{J8-1})$$

LOCAL FLANGE BENDING:

$$\begin{aligned} \text{PHI} &= .9 \\ \text{Rn} &= 6.25 \text{SQR}[\text{Tf}] \text{Fy} \\ \text{Design strength} &= \text{PHI} * \text{Rn} \end{aligned} \quad (\text{K1-1})$$

LOCAL WEB YIELDING:

$$\begin{aligned} \text{PHI} &= 1.0 \\ \text{Compression force applied at a distance from} \\ \text{the member end} &> \text{the depth of the member,} \\ \text{Rn} &= (5k + N) \text{FyTw} \end{aligned} \quad (\text{K1-2})$$

$$\begin{aligned} \text{Compression force applied at a distance from} \\ \text{the member end} &\leq \text{the depth of the member,} \\ \text{Rn} &= (2.5k + N) \text{FyTw} \end{aligned} \quad (\text{K1-3})$$

$$\text{Design strength} = \text{PHI} * \text{Rn}$$

LOCAL WEB CRIPPLING:

$$\begin{aligned} \text{PHI} &= .75 \\ \text{Compressive force is applied at a distance from the} \\ \text{member end} &\geq d/2: \quad \text{Formula(K1-4)} \end{aligned}$$

$$\text{Rn} = 135\text{Tw}^2 [1 + 3\text{N}/d * (\text{Tw}/\text{Tf})^{1.5}] * (\text{FyTf}/\text{Tw})^{.5}$$

$$\begin{aligned} \text{Compressive force is applied at a distance from the} \\ \text{member end} &< d/2: \end{aligned}$$

$$\text{N}/d \leq .2 \quad \text{Formula(K1-5a)}$$

$$\text{Rn} = 68\text{Tw}^2 [1 + 3\text{N}/d * (\text{Tw}/\text{Tf})^{1.5}] * (\text{FyTf}/\text{Tw})^{.5}$$

$$\text{N}/d > .2 \quad \text{Formula(K1-5b)}$$

$$\text{Rn} = 68\text{Tw}^2 [1 + (4\text{N}/d - .2) * (\text{Tw}/\text{Tf})^{1.5}] * (\text{FyTf}/\text{Tw})^{.5}$$

$$\text{Design strength} = \text{PHI} * \text{Rn}$$

SIDESWAY WEB BUCKLING:

PHI = .85
 Design strength = PHI * Rn
 Cr = 480000

Compression flg. restrained against rotation:

$$\begin{aligned} (h/tw)/(l/bf) &\leq 2.3, \\ Rn &= Cr Tw^3 Tf/h^2 [1 + .4 ((h/tw)/(l/bf))^3] \quad (K1-6) \end{aligned}$$

Compression flg. not restrained against rotation:

$$\begin{aligned} (h/tw)/(l/bf) &\leq 1.7, \\ Rn &= Cr Tw^3 Tf/h^2 [.4 ((h/tw)/(l/bf))^3] \quad (K1-7) \end{aligned}$$

WEB COMPRESSION BUCKLING:

PHI = .9
 $Rn = 4100 * CUBE[Tw] * SQRT[FY]/h$ (K1-8)
 When the compressive force is applied at a distance from the member end $< .5d$, Rn is by 50 percent.
 Design strength = PHI * Rn

PANEL-ZONE WEB SHEAR:

PHI = .9
 For $Pu \leq .4Py$
 $Rv = .6Fy * dc * Tw$ (K1-9)

For $Pu > .4Py$
 $Rv = .6Fy * dc * Tw (1.4 - Pu/Py)$ (K1-10)
 Design strength = PHI * Rv

SETUP RESISTANCE FACTOR SUMMARY:

Section B10-1	Net area	PHI = 0.75
Section B10-1	Gross area	PHI = 0.90
Section D1(a)	Gross section yielding	PHI = 0.90
Section D1(b)	Net section fracture	PHI = 0.75
Sections D3(a) & (b)	Shear eff.	PHI = 0.75
Sections E2, E3	Design compression	PHI = 0.85
Sections F1.1, F1.2	Flexure	PHI = 0.90
Sections F2.2	Shear	PHI = 0.90
Sections H2(a)		PHI = 0.90
Sections H2(b)		PHI = 0.90

Welds, TABLE J2.5

CJP eff area T,C,base metal	PHI = 0.90
CJP eff area shear, weld electrode	PHI = 0.80
PJP Base metal T or C	PHI = 0.90
PJP eff area shear, electrode	PHI = 0.75
PJP eff area normal ten., electrode	PHI = 0.80
Fillet, eff area shear	PHI = 0.75
Fillet, ten or comp, base metal	PHI = 0.90
Plug/slot weld shear, electrode,base metal	PHI = 0.75

Fasteners, TABLE J3.2

Tension or shear strength	PHI = 0.75
---------------------------	------------

Slip-critical connections designed at factored loads

Section J3.8b(a) STD holes	PHI = 1.00
Section J3.8b(b) OVS and SSL	PHI = 0.85
Section J3.8b(c) LSLT (transverse)	PHI = 0.70
Section J3.8b(d) LSLP (parallel)	PHI = 0.60
Section J3.10 Bearing at bolt holes	PHI = 0.75
Section J4.1 Shear rupture strength	PHI = 0.75
Section J4.2 Tension rupture strength	PHI = 0.75
Section J4.3 Block shear rupture strength	PHI = 0.75
Section J5.2(a) Tension yielding	PHI = 0.90
Section J5.2(b) Tension rupture	PHI = 0.75
Section J5.3 Shear yielding	PHI = 0.90
Section J8 Bearing strength	PHI = 0.75
Section J8 Brg. strength on concrete	PHI = 0.60
Section K1.2 Local flange bending	PHI = 0.90
Section K1.3 Local web yielding	PHI = 1.00
Section K1.4 Local web crippling	PHI = 0.75
Section K1.5 Sidesway web buckling	PHI = 0.85
Section K1.6 Web compression buckling	PHI = 0.90
Section K1.7 Panel zone shear	PHI = 0.90

LRFD RESISTANCE (DESIGN STRENGTH) CALCULATIONS

PHI = LRFD specification resistance factor

Load = Connection shear strength, $\text{PHI} \cdot R_n$, for the limit state being checked.

Moment = Connection moment strength, $\text{PHI} \cdot R_n$, for the limit state being checked.

Tension = Connection tension strength, $\text{PHI} \cdot R_n$, for the limit state being checked.

Axial load = Brace tension or compression strength, $\text{PHI} \cdot R_n$ for the limit state being checked.

(Load and Tension are calculated from combined shear and axial loads where applicable)

Design formulas are based on Imperial units.

Calculation Limit state and design strength formulas:
number:

- (1) Bolt shear, eccentricity not considered:

Bearing type bolts:

$$\text{Load} = \text{PHI} \cdot F_n \cdot A_b \cdot \text{Row} \cdot \text{Column} \cdot \text{Shear}$$

Slip-critical bolts at factored loads:

$$\text{Load} = \text{PHI} \cdot R_{str} \cdot \text{Row} \cdot \text{Column} \cdot \text{Shear}$$

- (2) Beam web shear:

$$\text{Load} = \text{PHI} \cdot V_n \quad (\text{F2-1, -2, -3})$$

- (3) Bolt shear, eccentricity considered:

Bearing type bolts:

$$R_v = \text{PHI} \cdot F_n \cdot A_b \cdot \text{Shear}$$

Slip-critical bolts at factored loads:

$$R_v = \text{PHI} \cdot R_{str} \cdot A_b \cdot \text{Shear}$$

$$\text{Load} = C \cdot R_v$$

- (4) Beam web net shear, coped bolted connection:

$$A_n = T_w \cdot (D - \text{Row} \cdot D_h - C_{dt} - C_{db})$$

$$\text{Load} = \text{PHI} \cdot .6 \cdot F_u \cdot A_n$$

- (5) Beam web shear, coped welded connection:

$$A_g = T_w \cdot (D - C_{dt} - C_{db})$$

$$\text{Load} = \text{PHI} \cdot .6 \cdot F_y \cdot A_g$$

- (6) Coped beam, PL, resistance to block shear, bolted:

$$R_{n_a} = .6F_y \cdot A_{gv} + F_u \cdot A_{nt} \quad (\text{J4-3a})$$

$$R_{n_b} = .6F_u \cdot A_{nv} + F_y \cdot A_{gt} \quad (\text{J4-3b})$$

$$F_u \cdot A_{nt} \geq .6F_u \cdot A_{nv}: \text{Load} = \text{PHI} \cdot R_{n_a}$$

$$F_u \cdot A_{nt} < .6F_u \cdot A_{nv}: \text{Load} = \text{PHI} \cdot R_{n_b}$$

- (7) Coped beam resistance to block shear, welded clip:

(Volume II, page 3-74, -75)

Coped top and bottom:

$$\text{Load} = \text{PHI} \cdot .6 \cdot F_y \cdot C_n \cdot \text{depth} \cdot T_w$$

Coped top or bottom:

$$F_1 = \text{PHI} \cdot .6 \cdot F_y \cdot C_n \cdot \text{depth} \cdot T_w$$

$$F_2 = \text{PHI} \cdot F_u \cdot (\text{Leg} - \text{Setback}) \cdot T_w / 2$$

$$\text{Load} = F_1 + F_2$$

- (8) Beam web shear, welded end PL shear connection:

$$\text{Eff_depth} = \text{MIN}[\text{Cn_depth} - 2 * \text{Weld_size}, D - 2 * \text{K_dist}]$$

$$\text{Aw} = \text{Tw} * \text{Eff_depth}$$

$$\text{Load} = \text{PHI} * \text{Vn} \quad (\text{F2-1}, -2, -3)$$
- (9) Bolt brg, dbl L brace, angles on same side of gus.:

$$\text{Rn}$$
 is calculated using (J3-2a) or (J3-2c)

$$\text{Lc_edge} = \text{Le} - .5\text{Dh}$$

$$\text{Lc_interior} = \text{Spacing} - \text{Dh}$$

$$\text{N_e} = \text{number of edge bolts}$$

$$\text{N_i} = \text{number of interior bolts}$$

$$\text{Axial load} = \text{PHI} * \text{Rn_edge} * \text{N_e} + \text{PHI} * \text{Rn_int} * \text{N_i}$$
- (10) Bolt shear, dbl L brace, angles on same side of gus.:

$$n = \text{number of bolts in connection}$$
Two columns --
$$n = 2 * \text{Row}$$
Four columns --
$$n = 4 * \text{Row} - 2$$

Bearing type bolts:

$$\text{Axial load} = \text{PHI} * \text{Fn} * \text{Ab} * n * \text{Shear}$$
Slip-critical bolts at factored loads:

$$\text{Axial load} = \text{PHI} * \text{Rstr} * n * \text{Shear}$$
- (11) Brace tear-out, dbl L brace, angles on same side of gus.:

$$\text{Anv} = 2t((S - \text{Dh}) * (\text{Row} - 1) + \text{Le} - .5 * \text{dh})$$

$$\text{Agv} = 2t(S(\text{Row} - 1) + \text{Le})$$
Two columns --

$$\text{Ant} = 2t(\text{Leg} - \text{g1} - .5 * \text{Dh})$$

$$\text{Agt} = 2t(\text{leg} - \text{g1})$$
Four columns --

$$\text{Ant} = 2t(\text{Leg} - \text{g1} - \text{g2} - 1.5 * \text{Dh} + \text{SQR} [.5 * S] / 4.0 / \text{ga2})$$

$$\text{Agt} = 2t(\text{Leg} - \text{g1})$$

$$\text{Rn1} = .6\text{Fy} * \text{Agv} + \text{Fu} * \text{Ant} \quad (\text{J4-3a})$$

$$\text{Rn1} = .6\text{Fu} * \text{Anv} + \text{Fy} * \text{Agt} \quad (\text{J4-3b})$$

$$\text{Axial load} = \text{PHI} * \text{MAX}[\text{Rn1}, \text{Rn1}]$$
- (12) Gus tear-out, dbl L brace, angles on same side of Pl:

$$\text{Agv} = 2t(S(\text{Row} - 1) + \text{Le})$$

$$\text{Agt} = 2t(\text{g1})$$
Two columns --

$$\text{Ant} = (2 * \text{g1} - \text{Dh}) * t$$

$$\text{Anv} = 2t * (\text{Le} - .5 * \text{Dh} + (S - \text{Dh}) * (\text{row} - 1))$$
Four columns --

$$\text{Ant} = (\text{g1} + \text{g2} - \text{Dh}) * 2 * t$$

$$\text{Anv} = 2t * ((\text{row} - 1) * (S - \text{Dh}) + S + \text{Le})$$

$$\text{Rn1} = .6\text{Fy} * \text{Agv} + \text{Fu} * \text{Ant} \quad (\text{J4-3a})$$

$$\text{Rn2} = .6\text{Fu} * \text{Anv} + \text{Fy} * \text{Agt} \quad (\text{J4-3b})$$

$$\text{Axial load} = \text{PHI} * \text{MAX}[\text{Rn1}, \text{Rn2}]$$
- (13) Net brace ten, dbl L brace, angles on same side of gus.:

$$S = \text{longitudinal bolt spa.}$$

$$U = .75 \text{ two bolt rows, } U = .85 \text{ more than two rows}$$

$$\text{Wg} = 2(\text{Leg} + \text{Osl} - \text{Thickness})$$
Two columns --
$$\text{Wn} = \text{Wg} - 2 * \text{Dh}$$
Four columns --
$$\text{Wn} = \text{Wg} - 4 * \text{Dh} + 2 * \text{S_g}$$

$$\text{Ant} = \text{Wn} * t$$

$$\text{Ae} = \text{Ant} * U$$

$$\text{Axial tension} = \text{PHI} * \text{Fu} * \text{Ae}$$

- (14) Intersection gusset tension, dbl L brace, angles on the same side of gusset:
 Two columns -- add = 0
 Four columns -- add = 2 * S_g
 $W_n = (b - \text{Column} * Dh + \text{add})$
 $Ant = t * \text{MIN}[W_n, .85 * b]$
 $Agt = b * t$
 $\text{Tension} = \text{MIN}[PHI * Fu *, PHI * Fy * Agt]$
- (15) Connection gross shear:
 Two side gusset PL, End PL or two side clip L:
 $Ag = 2 * Cn_depth * Cn_thick$
 $\text{Load} = PHI * .6 * Fy * Ag$
- (16) Connection net shear, bent pl, clip angle, splice pl:
 $W_n = Cn_depth - Dh * Row$
 $An = 2 * Cn_thick * W_n$
 $\text{Load} = PHI * .6Fu * Anv$
- (17) Conn. gross shear; single Pl conn., one side gusset or clip angle:
 $Ag = Cn_depth * Cn_thick$
 $\text{Load} = PHI * .6 * Fy * Ag$
- (18) OSL bending, one side clip angle:
 $D = Cn_depth$ $n = Row$
 $La = Gosl$ $b = Spa$
 $Sx_net = t * D^2 / 6 - b^2 * n * (n^2 - 1) * t(Dh) / 6D$, Table 12-1
 $\text{Load} = PHI * Fu * Sx_net / La$ (J5-2)
- (19) Bending, net section of gusset/shear plate:
 $D = Cn_depth$ $n = Row$ $b = Spa$
 $Sx_net = t * D^2 / 6 - b^2 * n * (n^2 - 1) * t(Dh) / 6D$, Table 12-1
 $\text{Load} = PHI * Fu * Qs * Sx_net / eb$ (J5-2)
- (20) Bearing on connection, eccentricity considered:
 R_n is calculated using (J3-2a) or (J3-2c)
 $Lc_edge = Le - .5Dh$
 $Lc_interior = Spacing - Dh$
 $\text{Load} = C * PHI * R_n * \text{Shear}$
- (21) Connection net shear:
 $k=1$ for shear tab, shear tee & thru pl
 $k = 2$ for end plate, dbl clip angle.
 Net shear --
 $W_n = Cn_depth - Dh * Row$
 $Anv = Cn_thick * W_n$
 $R_n = PHI * k * .6 * Fu * Anv$

- (22) Weld, shear plate to support:
 (eccentricity not considered)
 (For moment connections to WF col webs, deduct two .75 corner clips, Cn_depth = Pl depth - 1.5)
 $A_w = 2 * .707 * \text{Weld_size} * \text{Cn_depth}$
 $\text{Load} = 2 \text{ PHI} * F_w * A_w$
- (23) Weld, two side clip angle to support:
 (Volume II page 2-37)
 $L_a = O_s l$
 $L = \text{Cn_depth}$
 $F_r = \text{PHI} * .707 * F_w * \text{Weld_size}$
 $K = (9 * L_a / 5 / L / L)^2 + (1/2 / L)^2$
 $\text{Load} = \text{SQRT}[F_r^2 / K]$
- (24) Fillet weld stress, shear end Pl to beam web:
 $\text{Min_web} = .707 * F_w * \text{Weld_size} * 2 / F_v \text{_web}$
 $\text{Web_factor} = \text{MIN}[\text{Tw} / \text{Min_web}, 1]$
 $\text{Weld_len} = \text{Cn_depth} - 2 * \text{Weld_size}$
 $F_r = \text{PHI} * .707 * F_w * \text{Weld_size}$
 $\text{Load} = 2 * F_r * \text{Weld_len} * \text{Web_factor}$
- (25) Column web crippling, formulas (K1-4) & (K1-5a, -5b):
 $N = \text{thick of flange or Pl connected to column}$
 Load applied at a dist. $\geq d/2$ from top of column,
 $R_n = .8 \text{Tw}^2 [1 + 3(N/d) * (\text{Tw}/\text{Tf})^{1.5}] \text{SQRT}[E * F_y * \text{Tf} / \text{TS}]$
 Load applied at a dist. $< d/2$ from top of column,
 $N/d \leq .2$
 $R_n = .40 \text{Tw}^2 [1 + 3(N/d) * (\text{Tw}/\text{Tf})^{1.5}] \text{SQRT}[E * F_y * \text{Tf} / \text{TS}]$
 $N/d > .2$
 $R_n = .40 \text{Tw}^2 [1 + (4N/d - .2) * (\text{Tw}/\text{Tf})^{1.5}] \text{SQRT}[E * F_y * \text{Tf} / \text{TS}]$
 $\text{Moment} = \text{PHI} * R_n * .95 * D \text{_beam}$
- (26) Clip angle to beam web weld, ecc. considered
 [shaped weld:
 $\text{Side} = 1 \text{ or } 2$ (Connection on 1 or 2 sides of beam)
 $L_a = \text{Face of connection to C.G. weld group}$
 $k_l = \text{angle leg - clip_stbk}$
 $\text{Min_web} = .707 * \text{PHI} * F_w * \text{Weld_size} * \text{Side} / (\text{PHI} * .6 F_y \text{_web})$
 $\text{Web_factor} = \text{MIN}[\text{Tw} / \text{Min_web}, 1]$
 $N = \text{Weld_size} * 16$
 $\text{Load} = C * N * \text{Side} * \text{Web_factor} * \text{Cn_depth}$
- (27) Allowable load for bolts with applied axial tension:
 For shear end plates -- the bolt tension is increased due to the effect of eccentricity from the bolt group c.g. to the centerline of the beam, Vecc:
 $\text{applied } T / N + \text{applied } T * \text{Vecc} / \text{bolt group } s_x$
 where $N = \text{the number of bolts.}$
 (See J3.9 for combined tension and shear)
 $\text{Load} = \text{PHI} * F_n * A_b * \text{Row} * \text{Column}$
 See design notes for 'heavy' clip angles.)

(28) Unstiffened seat angle, OSL bending:

For seats with $3.5 \leq \text{OSL} \leq 4$, & setback $\leq .5$ the AISC procedure is used, with an added check for OSL shear yielding.

For other cases the following procedure applies.

Reaction is taken at the c/l of the required minimum calculated bearing length.

t = angle thickness

$E_f = .25 + \text{Setback} + .5 * \text{Min_brg}$

$E_o = E_f - (t + 3/8)$, Toe of fillet to C/L brg

$Z_x = l * t^2 / 4$

Load = $\text{PHI} * F_y * Z_x / E_o$

$\leq \text{PHI} * .6 * A_g * F_y$, seat shear yielding

(29) Unstiffened seat angle, weld:

Reaction is taken at the c/l of the required minimum calculated bearing length.

$L_a = .25 + \text{Setback} + .5 * \text{Min_brg}$

$L = \text{Cn_depth}$

$F_r = .707 * \text{PHI} * F_w * \text{Eff_weld}$

$K = (9L_a / 4L^2)^2 + (1/2L)^2$

Load = $\text{SQRT}[F_r^2 / K]$

(30) Plate or Tee seat weld:

(Reaction taken at $.8 * \text{the seat width}$ from the face of the column)

$L_a = .8 * \text{Cn_width}$

$F_r = .707 * \text{PHI} * F_w * \text{Eff_weld}$

$K = (1/2.4 / \text{Cn_depth})^2 + (L_a / .6 / \text{Cn_depth}^2)^2$

Load = $\text{SQRT}[F_r^2 / K]$

(31) W Column web strength, Pl or Tee seat:

(Ellifritt & Sputo, AISC 'Engineering Journal' fourth quarter 1999, page 160)

k = yield line factor

B = seat pl length, parallel to col web

L = stiffener length, W = stiffener width

$B' = \text{MAX}[W/2, 2.5/8]$

$e = B'/2 + .25$, load eccentricity

$F_{\text{star}} = F_y + 2/3 * (F_u - F_y)$

$m = \text{Tw}^2 * F_{\text{star}} / 4$

$P_n = k * L * m / e$

Load = $.9 P_n$

(32) Tee or Plate seat stiffener b/t ratio:

Angle = $\text{ATN}(\text{Cn_width} / \text{Cn_depth})$

$b/t = \text{Cn_width} * \text{COS}(\text{Angle}) / \text{Cn_thick}$

Load = $Q_s * \text{PHI} * 1.8 * F_y * \text{Cn_width} * \text{Cn_thick}$

(33) Stiffened angle seat-to-support weld;

(Two vert. welds plus weld on heel of angle):

$E_w = .8(\text{Stiff width} + L \text{ thick})$

b = horiz. weld length

d = angle vert leg dimension

$S_x = (2bd + d^2) / 3$, na to heel of angle.

$F_r = .707 * \text{PHI} * F_w * \text{Eff_weld}$

$A = b + d + d$, total weld length

$K = (E_w / S_x)^2 + (1/A)^2$

Load = $\text{SQRT}[F_r^2 / K]$

- (34) Stiffened seat angle, stiffener-to-angle weld:
 $pl_w = \text{stiff width}; pl_len = \text{stiff length}$
 $lw = pl_w - .5; lh = pl_len - .5, \text{ weld lengths}$
 $T = lw + lh$
 $x_bar = (lw * (.5 * lw + .5)) / T$
 $y_bar = (lw * pl_len + lh * .5 * lh) / T$
 $i\bar{x} = lh^3/12 + lh(y_bar - .5*lh)^2 + lw(pl_len - y_bar)^2$
 $i\bar{y} = lw * x_bar^2 + lh^3 /12. + lw(.5*lw + .5 - x_bar)^2$
 $ip = i\bar{x} + i\bar{y}$
 $Ew = 2 * pl_w / 3 \text{ weld eccentricity}$
 $Fr = .707*PHI*Fw*Weld_size$
 $R_unit = 1.0, \text{ unit load}$
- point p1, bottom inside corner of stiffener
 $f_v = R_unit / T + R_unit * (Ew - x_bar) * x_bar / ip$
 $f_h = R_unit * (Ew - x_bar) * y_bar / ip$
 $fr1 = \sqrt{f_v^2 + f_h^2}$
- point p2, top outside corner of stiffener
 $f_v = R_unit/T + R_unit*(Ew - x_bar) * (pl_w - x_bar)/ip$
 $f_h = R_unit*(Ew - x_bar) * (pl_len - y_bar)/ip$
 $fr2 = \sqrt{f_v^2 + f_h^2}$
- Load = $2 * Fr / \max(fr1, fr2)$
- (35) Stiffened seat angle, bearing on stiffener:
 $An = t(b - \text{corner_clip})$
 $Load = PHI * 1.8 * F_y * An$
- (36) Shear on support, shear connection:
 Conn. to a W or C web with a member opposite:
 $Ag = Cn_depth*T_sup$
 Other cases:
 $Ag = 2*Cn_depth*T_sup$
 (For moment connections to WF col webs, deduct two .75 corner clips, $Cn_depth = Cn_depth - 1.5$)
 $Load = PHI * .6 * F_y * Ag$
- (37) Not used
- (38) Single Pl shear connection yield strength:
 No axial load and dim A <= 3.5 inches:
 $F_v = PHI * .6 * F_y$
 $Load = F_v * Ag$
- Axial load or dim A > 3.5 inches:
 Refer to misc design note 32;
 T = applied tension, R = shear reaction
 $\sigma = T / Ag_web + R * ecc / S_x$
 $\tau = R / Ag_web$
 Load = maximum R to satisfy the yield criterion
- $f_v/F_v + f_a/F_{cr} \leq 1 \text{ ---}$
 $K = 1/(Ag * F_v) + Ew/(S_x * PHI*F_{cr})$
 $M = 1 - \text{Compression} / (Ag * PHI*F_{cr})$
 $r2 = M/K$
- Load = MIN[r1, r2]
- (39) Not used

- (40) Clip angle connection with axial tension,
bolt failure mode:
(AISC 'Engr. Journal', Vol. 22, page 65 and
9th ed AISC, pg 4-90)
 $B = F_t \cdot A_b$ $T_f = C_n \cdot t_{\text{thick}}$
 $p = C_n \cdot \text{depth} / \text{Row}$ $d' = D_b + 1 / 16$ (Db+2 mm)
 $\Delta = 1 - d' / p$ $M = p \cdot T_f^2 \cdot F_y / 4.44$
 $T_2 = (B \cdot a' + M) / (a' + b')$
 $T_3 = B$
Tension = $2 \cdot \text{Row} \cdot \text{MIN}[T_2, T_3]$
See design notes for 'heavy' clip angles.)

- (41) Coped beams:
(LRFD 3rd Edition, pages 9-4 thru 9-9)
Setback = end of web to weld line or face of conn.
 $e = c + \text{Setback}$
For axially loaded bms, $\text{PHI} \cdot F_{cr}$ is adjusted by + or - fa.

Beam coped at top only:

$$h_o = d - d_{ct}$$

$$c \leq 2d, d_{ct} \leq d/2, \text{ Cheng procedure)}$$

$$c/h_o \leq 1; \quad k = 2.2 (h_o/c)^{1.65} \quad (\text{B-3})$$

$$c/h_o > 1; \quad k = 2.2 (h_o/c)$$

$$c/d \leq 1; \quad f = 2(c/d) \quad (\text{B-4})$$

$$c/d > 1; \quad f = 1 + (c/d)$$

$$\text{PHI} \cdot F_{cr} = 23590 \cdot f \cdot k \cdot (T_w/h_o)^2 \leq .9F_y$$

$$\text{Load} = \text{PHI} \cdot F_{cr} \cdot S_n / e$$

Beam coped at top and bottom:

$$h_o = d - d_{ct} - d_{cb}$$

'e' is calculated using longer cope dim.

$$c \leq 2d, d_{ct} \leq .2d, \text{ Cheng procedure)}$$

$$d_c = \text{top cope depth}$$

If web holes line up with cope: $S_n = S_{n_net}$

$$f_d = 3.5 - 7.5 (d_c / d)$$

$$\text{PHI} \cdot F_{cr} = 50840 \cdot T_w^2 \cdot f_d / (c \cdot h_o) \leq .9F_y$$

Top cope depth > .2d

$$Q = 1, \text{ for } \Lambda \leq .7$$

$$Q = 1.34 - .486 \Lambda, \text{ for } \Lambda \leq 1.41$$

$$Q = 1.3 / \Lambda^2, \text{ for } \Lambda > 1.41$$

$$\Lambda = F_y^{.5} \cdot h_o / (167K \cdot 2 \cdot T_w)$$

K = plate buckling coefficient, page 9-9

$$\text{PHI} \cdot F_{cr} = .9F_y Q$$

$$\text{Load} = \text{PHI} \cdot F_{cr} \cdot S_n / e$$

Beam coped at bottom only:

$$h_o = d - d_{cb}$$

$$c \leq d/2$$

$$\text{Load} = .9F_y \cdot S_n / e$$

- (42) Stiffened beam web (transverse stiffener):
 b = Stiff width, t = stiff thick, l = stiff length
 $Leff$ = Effective beam web length
 = $25 \cdot Tw$, interior stiffeners
 = $12 \cdot Tw$, near end of beam
 Ag = $2b \cdot t \cdot Pair + Tw \cdot Leff$; (Gross effective area)
 K = $Tw + 2b$
 One pair: $I_x = t \cdot K^3 / 12$ (in plane of web)
 $I_y = Tw \cdot Leff^3 / 12$ (perp to web)
 Two pairs: $Stif_spa$ = Spacing between stiff pairs
 $I_x = 2t \cdot K^3 / 12$
 $I_y = Tw \cdot Leff^3 / 12 + 2K \cdot t \cdot (.5 \cdot Stif_spa)^2$
 $R_x = \sqrt{I_x / Ag}$; $R_y = \sqrt{I_y / Ag}$
 $Kl/r = .75(l) / \text{MIN}[R_x, R_y]$
 $Aw = Tw \cdot Leff$
 $Load = \text{MIN}[PHI \cdot Fcr \cdot Qs \cdot Ag,$
 $Aw \cdot PHI \cdot Fcr + PHI \cdot 1.8 \cdot Fy \cdot Pair \cdot 2 \cdot t \cdot (b - Fil_rad)]$
- (43) Clip angle connection with axial tension,
 angle failure mode:
 (AISC 'Engr. Journal', Vol. 22, No 2, page 65
 and 9th ed AISC, pg 4-90)
 $T_f = C_n \cdot thick$
 $p = C_n \cdot \overline{depth} / Row$ $d' = Db + 1/16$ ($Db + 2$ mm)
 $\Delta = 1 - d' / p$ $M = p \cdot T_f^2 \cdot F_y / 4.44$
 $T = (1 + \Delta) \cdot M / b'$
 $Tension = 2 \cdot Row \cdot T$
 See design notes for 'heavy' clip angles.)

- (44) Moment connection to col web, flange plate weld:
 $Weld_f = \text{Weld size to col flange}$
 $Weld_w = \text{Weld size to col web}$
 $Flg_l = .5(Bf_col - Tw_col) - Fil_rad - 1/2$; Flg weld length
 $Web_l = D_col - 2 * Kdist_col$; Web weld length
 $D_prime = .95 * D_bm$ for welded flg pl
 $D_prime = D_beam + Pl_thick$ for bolted flg pl
 $Fr = .707 * PHI * Fw * Weld_size$
 $Moment = D_prime * 2 * (Fr * Weld_f * 2 * Flg_l + Fr * Weld_w * Web_l)$
- (45) Not used
- (46) Moment connection, flange PL tension & comp:
 $Agt = Ag = b * t$
 $Ant = t * (b - 2 * Dh) \leq .85 * Agt$
 $ft1 = PHI * Fu * Ant$
 $ft2 = PHI * Fy * Agt$
 $fc1 = PHI * Fcr * Ag, \quad K = .65$
 $Moment = (D + t) * MIN[ft1, ft2, fc1]$
 For axial load reduce moment by: $Ff * (D + t)$
 where Ff = the maximum flange force.
- (47) Not Used
- (48) Bolt tension, four bolt extended End-Plate:
 (AISC Pgs 4-116 to 4-125)
 Interaction eqns apply to brg type bolts
 $Moment = 4 * PHI * Fn * Ab * (D - Tf)$
- (49) Bolt shear, '4 and 8 - Bolt' extended End-Plate:
 (AISC Pgs 4-116 to 4-125)
 (Interaction equations, J3.5 & (A-J3-1) are applied to the tension bolts in bearing-type connections)
 $Load = PHI * Fn * Ab * 2 * Row$
- (50) End plate thickness, 4-bolt extended End-Plate:
 (LRFD Vol II page 10-24 & Design Guide series 4)
 $Bp = \text{Eff Pl width} \leq Bf + 1, \quad Ts = \text{End plate thick}$
 $Af = Tf * Bf, \quad Aw = Tw(D - 2Tf), \quad Pt = Db + 1/2 \quad (Db + 12 \text{ mm})$
 $Wt = \text{Fillet weld or reinforcing fillet size}$
 $Pe = Pf - Db/4 - .707 * Wt \quad Cb = \text{SQRT}[Bf/Bs]$
 $Ca = \text{(See Table 10.1)}$
 $Am = Ca * Cb * (Af/Aw)^{.333} * (Pe/Db)^{.25}$
 $Meu = Am * Ff * Pe / 4$
 $Ffu = Ts^2 * PHI * Fy * Bp / (Am * Pe)$
 $Moment = Ffu * (D - Tf)$

- (51) Pl to Flange fillet weld, extended End-Plate:
(LRFD Vol II)

$$\text{Flg_perimeter} = 2(\text{Bf} + \text{Tf}) - \text{Tw}$$

$$\text{Fr} = .707 * \text{PHI} * \text{Fw} * \text{Weld size}$$

$$\text{Moment} = \text{Fr} * \text{Flg_perimeter} * (\text{D} - \text{Tf})$$
- (52) Pl to Web fillet weld, extended End-Plate:
 Minimum weld size to develop web tension near the

$$\text{flange} = \text{PHI} * \text{Fy} * \text{Tw} / (.707 * \text{PHI} * \text{Fw} * 2)$$

$$\text{Fr} = .707 * \text{PHI} * .6 * \text{Weld size}$$

$$\text{Load} = 2 * \text{Fr} * \text{Eff_weld_len}$$
- (53) W Section col. butt plate, AISC CASE III:

$$\text{D} = \text{upper col depth} \quad \text{D}_l = \text{Lower col depth}$$

$$\text{Bf} = \text{Upper col flg width}, \quad \text{Bf}_l = \text{Lower col flg width}$$

$$\text{Area} = \text{Upper column area}$$

$$\text{P} = \text{Load from upper column}$$

$$\text{Delta} = .5(\text{T of lower col} - \text{D}_u)$$

$$\text{Delta} \geq t, \text{ check shear and bend stress}$$

$$\text{Delta} < t, \text{ check shear stress}$$

$$\text{Po} = (\text{P}/\text{Area})(\text{D} * \text{Tw}), \text{ direct brg.}$$

$$\text{fv} = .25(\text{P} - \text{Po})/\text{B} * t$$

$$\text{A} = \text{D}_l - 2\text{Tf}_l, \quad \text{B} = .5\text{Bf}_u$$

$$\text{Q} = (\text{Load} - \text{Po})/\text{Bf} * \text{D}$$

$$\text{fb} = \text{Beta} * \text{Q} * \text{B}^2 / t^2$$
 ('Formulas for Stress and Strain',
 R.J.Roark 5th ed. Table 26; 7a)
 Load = largest value of P to satisfy:

$$\text{fb} \leq \text{Fb} = \text{PHI} * \text{fy} \quad \& \quad \text{fv} \leq \text{PHI} * .6\text{Fy}$$

$$\text{Delta} = 0., \quad \text{Load} = \text{Area} * \text{PHI} * .6\text{Fy}$$
- (54) Tube column butt plate:
 Upper tube size \leq lower tube size)

$$\text{Ts}_l \text{ Lower tube size}, \quad \text{Ts}_u \text{ Upper tube size}$$

$$\text{Tw}_l \text{ Lower tube wall}, \quad \text{Tw}_u \text{ Upper tube wall}$$

$$\text{Delta} = .5[(\text{Ts}_l - \text{Tw}_l) - \text{Ts}_u - \text{Tw}_u]$$

$$\text{Sx} = t^2/6; \text{ per inch of plate}$$
 Shear:
$$\text{Ls} = \text{PHI} * \text{Fy} * t * (\text{Upper tube perimeter})$$
 Bending:
$$\text{Lb} = \text{PHI} * \text{Fy} * (\text{Upper tube perimeter}) * \text{Sx} / \text{Delta}$$

$$\text{Load} = \text{MIN}[\text{Ls}, \text{Lb}]$$
- (55) Beam web tear-out, axially loaded, welded clip angle conn:
(AISC Vol II Connections page 2-45)
 Coped beam:

$$\text{Tension} = \text{PHI} * \text{Fy} * \text{Ag}, \quad \text{Ag} = \text{Tw} * \text{Cn_depth}$$

 Un-coped beam:

$$\text{Avg} = (\text{Cn_width} - \text{Clip_stbk}) * \text{Tw} * 2$$

$$\text{Atg} = \text{Cn_depth} * \text{Tw}$$

$$\text{CaseI} = \text{PHI} * .6 * \text{Fy} * \text{Avg} + \text{PHI} * \text{Fu} * \text{Atg}$$

$$\text{CaseII} = \text{PHI} * .6 * \text{Fu} * \text{Avg} + \text{PHI} * \text{Fy} * \text{Atg}$$

$$\text{Tension} = \text{MAX}[\text{CaseI}, \text{CaseII}]$$

(56) Beam web tear-out, axially loaded, bolted clip angle conn:

Sh = Horiz bolt spacing
 One bolt column-
 $Anv = 2 * Tw * (Lh - .5 * Dh)$
 $Agv = 2 * Tw * Lh$
 More than one bolt column-
 $Anv = 2 * Tw * [Lh - .5 * Dh + (Column - 1) * (Sh - dh)]$
 $Agv = 2 * Tw * (Column - 1) * Sh$
 For a Coped beam: $Anv = Agv = 0.$

$Ant = (Spa - Dh) * (Row - 1) * Tw$
 $Agt = Spa * (Row - 1) * Tw$

$CaseI = PHI(.6Fy * Agn + Fu * Ant)$
 $CaseII = PHI(.6Fu * Anv + Fy * Agt)$
 Tension = max[CaseI, CaseII]

(57) Tension stress on axially loaded clip angle connection:

$f_v/F_v + f_t/F_t \leq 1$
 $F_t = PHI * F_u, \quad F_v = PHI * .6F_y$
 Bolted to beam:
 $An = (Cn_depth - Dh * Row) * Cn_thick * 2$
 $F_t = PHI * F_u$
 Welded to beam:
 $Ag = Cn_depth * 2 * Cn_thick$
 $F_t = PHI * F_y$
 P = Beam shear reaction
 Tension = $[1 - P / (Area * F_v)] * Area * F_t$

(58) Combined weld stress, end plate, with axial load:

Elastic method.
 $L_w = Cn_depth - 2 * Weld_size,$ (effective weld length)
 Extended end Pl: $L_w =$ Beam T distance
 $Fr = .707 * PHI * F_w * Eff_weld$
 $F_h = Applied\ axial\ tension / 2 / L_w$
 $Load = 2 * L_w * SQRT[Fr^2 - F_h^2]$

(59) Beam plastic moment strength:

Moment = $PHI * F_y * Z_x$

(60) Plate stress, end PL with axial tension load:

(AISC 'Engr. Journal', Vol. 22, No 2, page 65
 and 9th ed AISC, pg 4-90)
 $T_f = Cn_thick \quad p = Cn_depth / Row \quad \Delta = 1 - d' / p$
 $d' = Db + 1 / 16 \quad M = p * T_f^2 * F_y / 8 \quad T = (1 + \Delta) * M / b'$
 Vecc = Dim from bolt group cg to beam centerline
 Tension = $T / (1/2 * row + Vecc / bolt\ group\ S_x)$

(61) Bolt stress, end PL with axial tension load:

(AISC 'Engr. Journal', Vol. 22, No 2, page 65
 and 9th ed AISC, pg 4-90)
 $B = F_t * A_b \quad T_f = Cn_thick$
 $p = Cn_depth / Row \quad d' = Db + 1 / 16 \quad (Db + 2\ mm)$
 $\Delta = 1 - d' / p \quad M = p * T_f^2 * F_y / 8$
 $T_2 = (B * a' + M) / (a' + b')$ with prying action
 $T_3 = B$ without prying action
 Vecc = Dim from bolt group cg to beam centerline
 Tension = $MIN[T_2, T_3] / (1/2 * row + Vecc / bolt\ group\ S_x)$

- (62) Column bearing, AISC CASE II:
 $Load = \phi * 1.8 * F_y (Col_brg_Area + Fill_brg_area)$
- (63) Coped beam web reinforced with bolted doubler PLs:
 (doubler plate stress)
 $F_v = \phi * .6 * F_u, \quad F_t = \phi * F_y$
 $Bm_load = \text{Coped beam strength, see \#(41)}$
 $T_p = \text{Doubler thickness}$
 $D_p = \text{Doubler depth}$
 $S_{net} = \text{Shear} * T_p * D_p^2 / 6 - Spa^2 * Row * (Row^2 - 1) * T_p * Dh / 6 * D_p$
 $A_{net} = T_p * (D_p - Row * Dh) * \text{Shear}$
 $\text{Shear_load} = F_v * A_{net}$
 Cope length is measured from the face of the conn.
 $\text{Moment_load} = Q_s * F_b * S_{net} / \text{MAX}[C_{lt} + 2.5, C_{lb} + 2.5]$
 $Load = \text{MIN}[\text{Moment_load}, \text{Shear_load}] + Bm_load$
- (64) Coped beam web reinforced with bolted doubler PLs:
 (doubler plate bolt shear)
 $Bm_load = \text{Coped beam strength, see \#(41)}$
 First bolt is 2 1/2 in. (64 mm) past cope.
 Cope length is measured from the face of the connection.
 $L_a = \text{MAX}[C_{lt}, C_{lb}] + 2.5 + (D_{blr_col} - 1) * Col_spa * .5$
 Bearing type bolts, $R_v = \phi * R_n * \text{Shear}$
 Slip critical bolts, $R_v = \phi * R_{str} * \text{Shear}$
 $Load = R_v * C + Bm_load$
- (65) Coped beam web reinforced with bolted doubler PLs:
 (doubler bolt bearing)
 $Bm_load = \text{Coped beam strength, see \#(41)}$
 (First bolt is 2 1/2 in. (64 mm) past cope)
 $T_p = \text{Doubler thickness}$
 Cope length is measured from the face of the connection.
 $L_a = \text{MAX}[C_{lt}, C_{lb}] + 2.5 + (D_{blr_col} - 1) * Col_spa * .5$
 R_n is calculated using (J3-2a) or (J3-2c)
 $Load = C * \phi * R_n * \text{MIN}[T_p * \text{Shear}, T_w] + Bm_load$
- (66) Coped beam web reinforced with welded doubler PLs:
 (doubler plate stress)
 $Bm_load = \text{Coped beam strength, see \#(41)}$
 $T_p = \text{Doubler plate thickness}$
 $D_p = \text{Doubler plate depth}$
 $S_x = C_n_side * T_p * D_p^2 / 6$
 $A_g = T_p * D_p * C_n_side$
 $\text{Shear yielding} = \phi * .6 * F_y * A_{gv}$
 Cope length is measured from the face of the conn.
 $\text{Flexural yielding} = .9 * F_y * S_x / \text{MAX}[C_{lt}, C_{lb}]$
 $Load = \text{MIN}[\text{Shear yielding}, \text{Flexural yielding}] + Bm_load$
- (67) Coped beam web reinforced with welded doubler PLs:
 (doubler to web weld stress, ']' shaped weld)
 $Bm_load = \text{Coped beam strength, see \#(41)}$
 $N_{ws} = \text{INT}[\text{Weld size} / 16]$, number off sixteenths in fillet weld size
 $D_p = \text{Doubler plate depth}$
 $C = \text{weld coefficient, table 8-9}$
 $Load = C * D_p * N_{ws} * C_n_side + Bm_load$
- (68) Bolted moment connection, flange bolt shear:
 Bearing type bolts, $R_v = \phi * R_n * \text{Shear}$
 Slip critical bolts, $R_v = \phi * R_{str} * A_b * \text{Shear}$
 (R_n for bearing type bolts is reduced by 20 percent when
 bolt pattern length > 50 in. Table J3.2)
 $\text{Moment} = R_v * 2 * Row * D$
 For axial load reduce moment by: $F_f * D$
 where F_f = the maximum flange force.

- (69) Bolted moment connection, bolt bearing on flg. conn Pl:
 R_n is calculated using (J3-2a) or (J3-2c)
 N_e = number of edge bolts
 N_i = number of interior bolts
 $Moment = \phi(R_n N_e + R_n N_i) (D + C_n_{thick})$
 For axial load reduce moment by: $F_f(D + C_n_{thick})$
 where F_f = the flange force.
- (70) Extended end pl shear yielding:
 $B_p = E_{ff} \text{ pl width} \leq B_f + 1$
 $Moment = \phi \cdot .6 \cdot F_y \cdot B_p \cdot t \cdot 2 \cdot (D - T_f)$
- (71) Wf brace bolt shear:
 Bearing type bolts, $R_v = \phi R_n \cdot Shear$
 Slip critical bolts, $R_v = \phi R_{str} \cdot Shear$
 $Axial \text{ load} = R_v \cdot (2 \cdot \text{web_row} + 4 \cdot \text{Flg_row})$
- (72) Bolted moment connection, bearing on beam flange:
 R_n is calculated using (J3-2a) or (J3-2c)
 N_e = number of edge bolts
 N_i = number of interior bolts
 $Moment = \phi(R_n N_e + R_n N_i) (.95D)$
 For axial load reduce moment by: $F_f \cdot .95D$
 where F_f = the flange force.
- (73) Wf brace, bolt brg on brace:
 R_n is calculated using (J3-2a) or (J3-2c)
 $L_{c_edge} = L_e - .5D_h$
 $L_{c_interior} = \text{Spacing} - D_h$
 N_e = number of edge bolts
 N_i = number of interior bolts
 $Axial \text{ load} = \phi R_n N_e + \phi R_n N_i$
- (74) Wf brace tearout:
 Web connection,
 $R_{n1} = .6 \cdot F_y \cdot A_{gv_web} + F_u \cdot A_{nt_web}$
 $R_{n2} = .6 \cdot F_u \cdot A_{nv_web} + F_y \cdot A_{gt_web}$
 $Allow_w = \phi J_4 \cdot \max[R_{n1}, R_{n2}]$
 Flange connection,
 $R_{n1} = .6 \cdot F_y \cdot A_{gv_flg} + F_u \cdot A_{nt_flg}$
 $R_{n2} = .6 \cdot F_u \cdot A_{nv_flg} + F_y \cdot A_{gt_flg}$
 $Allow_f = \phi J_4 \cdot \max[R_{n1}, R_{n2}]$
 $Tension = Allow_w + Allow_f$
- (75) Combined beam web stress, end PL with axial load:
 Refer to misc design note 32;
 $A_{e_web} = T_w \cdot (C_n_{depth} - 2 \cdot \text{Weld_size})$, fillet welds
 $A_{e_web} = T_w \cdot (C_n_{depth} - T_w)$, CJP weld
 Extended end Pl: $A_{e_web} = T_w \cdot \text{Bm T distance}$
 T = applied tension, R = shear reaction
 $\sigma = T / A_{e_web}$
 $\tau = R / A_{e_web}$
 Load = maximum R to satisfy the yield criterion
- (76) Moment, flange-angle connection,
 bolt failure mode:
 (AISC 'Engr. Journal', Vol. 22, No 2, page 65
 and 9th ed AISC page 4-90)
 $a = O_{sl} - O_{sl_ga}$ $b = O_{sl_ga} - C_n_{thick}$
 $B = F_t \cdot A_b$ $p = .5 \text{ conn length}$
 $d = D_b$ $d' = D_b + 1/16 (D_b + 2 \text{ mm})$
 $T_f = C_n_{thick}$ $b' = b - .5 \cdot D$
 $a' = a + .5 \cdot d$ $\Delta = 1 - d'/p$
 $M = p \cdot T_f^2 \cdot F_y / 4.44$
 $T_2 = (B \cdot a' + M) / (a' + b')$; $T_3 = B$
 $Moment = Row \cdot 2 \cdot \min[T_2, T_3] \cdot D + 2 \cdot O_{sl_ga}$

(77) Moment flange angle conn., angle stress, tension and compression:

(AISC 'Engr. Journal', Vol. 22, No 2, page 65

```

a = Osl-Osl_ga      b = Osl_ga-Cn_thick
p = .5*Cn_length
d = Db              d' = Db+1/16 (Db+2 mm)
f = Cn_thick        b' = b-.5*D
a' = a+.5*d         Delta = 1-d'/p
M = p*Tf^2*Fy/4.44  T1 = (1+Delta)*M/b'
OSL bending --
M1 = T1*2*(D+2*Cn_thick)
Angle net tension -- (J5-2):
M2 = PHI*Ant*Fu*( D + Cn_thick )
Angle gross tension -- (J5-1):
M3 = PHI*Ag*Fy*( D + Cn_thick )
Angle gross compression -- (E2)
M4 = PHI*Ag*Fcr*( D + Cn_thick )
Moment = MIN[M1, M2, M3, M4]

```

(78) & (79) Not used

(80) Eight-bolt Stiffened extended End-Plate:
Bolt stress, Shortened Design Procedure
Only A325 bolts allowed
Interaction eqns apply to brg type bolts
Moment = $6*Ab*Ft*(D-Tf)$

(81) Eight-bolt Stiffened extended End-Plate:
Plate stress, Shortened Design Procedure
Only A325 bolts allowed
Bp = eff. end pl width $\leq Bf + 1.$
Pf = $Db+1/2$ (Db+12 mm)
Peff = $SQR[Gage^2+Pf^2]*Pf/5$
Moment = $Thick^2*(D-Tf)*PHI*Fy*Bp/Peff$

(82) Not used

- (83) Unstiffened column moment strength:
 (Beam flange or connection PL welded to col flange)
 Column web yield, buckling, and flange flexure:
 N = Beam flange or connection plate thickness
 dtc = dist from top of bm to top of col
 $Rn1 = Fy_col * Tw_col * (N + 5 * K_dist_col)$ (K1-2)
 if dtc \leq D,
 $Rn1 = Fy_col * Tw_col * (N + 2.5 * K_dist_col)$
 $Rn2 = 24 * Tw_col^3 * SQRT[E * Fy_col] / h$ (K1-8)
 if dtc $<$ D/2, P2 = .5P2
 $Rn3 = 6.25 * Tf_col^2 * Fy$ (K1-1)
 if dtc $<$ 10 * Tf_col, Rn3 = .5*Rn3
 Moment = PHI*MIN[Rn1,Rn2,Rn3]*Depth_bm*.95
- (84) Not used
- (85) Moment flange plate tear-out:
 Ga = Flg. gage; N = number of bolt rows
 S = Bolt spa.; Ed = Pl end edge dist.
 b = Pl width; t = Pl thickness
 Agv = 2*t*((Row-1) * S + Ed)
 Anv = 2*t*((Row-1) * S + Ed - Dh(Row-.5))
 [shaped tearout,
 Agt = t * Ga
 Ant = t * (Ga - Dh)
 Rn1 = .6 * Fy * Agv + Fu * Ant
 Rn2 = .6 * Fu * Anv + Fy * Agt
 Case1 = PHI*MAX[Rn1,Rn2]
 L shaped tearout,
 Agt = b - Ga
 Ant = b - (Ga - Dh)
 Rn1 = .6 * Fy * Agv + Fu * Ant
 Rn2 = .6 * Fu * Anv + Fy * Agt
 Case2 = PHI*MAX[Rn1,Rn2]
 Moment = MIN[Case1,Case1]*(Depth + t)
 For axial load reduce moment by: Ff*(Depth+t)
 where Ff = the maximum flange force.
- (86) Bearing on beam web, bolted clip angle conn. with axial load:
 See design notes for 'heavy' clip angles.
 Paxial = Max. of applied ten. or comp. force
 Rn is calculated using (J3-2a) or (J3-2c)
 Load = Row*SQRT[(PHI*Rn)^2 - (Paxial/Row)^2]
- (87) Bearing on connection, bolted clip angle conn. with axial load:
 See design notes for 'heavy' clip angles.
 Paxial = Max. of applied tension or compression force
 Rn is calculated using (J3-2a) or (J3-2c)
 Load = Row*SQRT[(PHI*Rn)^2 - (Paxial/Row)^2]

- (88) Weld stress, two-side clip angle conn. with axial load:
(Elastic method)
Axial = Max. of applied ten. or comp. force
 $A = Cn_width$, $T = Axial/2$, $K = A-Clip_setback$
 $L = Cn_depth$, $W = L+2*K$ (total weld length)
 $X = K^2/W$, c.g. location from ver weld.
 $I_p = (2*K+L)^3/12 - K^2*(K+L)^2/W$
 $C1 = 1/W+(A-X)*(K-X)/I_p$, $C2 = (A-X)*.5*L/I_p$
 $A1 = C1^2+C2^2$, $B1 = 2*T*C2/W$
 $Fr = .707*PHI*Fw*Eff_weld$
 $C3 = (T/W)^2-Fr^2$
 $D1 = SQRT[B1^2-4*A1*C3]$
Load = $(D1-B1)/A1$
- (89) Web bolt shear, combined load, clip angle conn. with axial load:
See design notes for 'heavy' clip angles.
Paxial = Max. of applied tension or compression force
Bearing type bolts:
 $Rv = PHI * Fn * Ab * Shear$
Slip-critical bolts at factored loads:
 $Rv = PHI * Rstr * Shear$
Load = $Row*SQRT[Rv^2-(Paxial/Row)^2]$
- (90) Angle brace, net area tension:
 $S =$ longitudinal bolt spacing
 $n = 1$ for single angle brace, 2 for double angle brace
 $U = .75$ two bolt rows; $U = 1-x_bar/l \leq .9$ more than two rows
 $Wg = Leg+Osl-Thickness$
 $Wn = Wg-Dh$, for one bolt column
 $Wn = Wg-Column*Dh+S^2/4/g2$, two bolt columns
 $Ant = Wn*t$
 $Ae = Ant*U$
Tension = $PHI*Fu*Ae*n$
- (91) Brace gusset tension:
 $S =$ longitudinal bolt spacing
 $Wn = (b-Dh)$, for one bolt column
 $Wn = (b-Column*Dh+S^2/4/g2)$, for two bolt columns
 $Ant = MIN[Wn, .85 * b] * t$
 $Agt = b*t$
Tension = $MIN[PHI*Fy*Agt, PHI*Fu*Ant]$
- (92) Angle brace tear-out, (tension loaded brace):
 $t =$ brace thickness, $S =$ bolt spacing
 $n = 1$ for single angle, 2 for double angle
 $Anv = ((S-Dh)*(Row-1)+Le-.5*Dh)*t$
 $Agv = (S*(Row-1)+Le)*t$
One bolt column:
 $Ant = (Leg-ga-.5*Dh)*t$
Two bolt columns:
 $Ant = (Leg-g1 - 1.5 * Dh + S^2/4/g2)*t$
 $Agt = (Leg-g1)*t$
 $Rn1 = .6 Fy * Agv + Fu * Ant$
 $Rn2 = .6 Fu * Anv + Fy * Agt$
Tension = $PHI*MAX(Rn1, Rn2)$

- (93) Angle brace gross area axial load:
 $n = 1$ for single L brace, 2 for dbl L
 $Ag = (Leg + Osl - t) * t * n$
Tension or Compression = $PHI * Fy * Ag$
- (94) Angle brace gusset plate tear-out:
Gusset to one bm or column --
 $P_edge = \text{dim. from brace bolt line to a parallel guss. edge}$
One bolt column:
 $Ant = t * (P_edge - .5 * dh)$
 $Agt = t * P_edge$
Two bolt columns:
 $Ant = t * (P_edge - 1.5 * dh + (.5S)^2 / 4g)$
- $Av = \text{area along bolt line}$
- Gusset to bm & col or two bms, two bolt cols --
 $Ant = t * (ga2 - dh + (.5S)^2 / 4g)$
 $Agt = t * ga2$
 $Av = \text{sum or area along 2 bolt lines}$
- $Rn1 = .6 Fy * Agv + Fu * Ant$
 $Rn2 = .6 Fu * Anv + Fy * Agt$
Tension = $PHI * MAX[Rn1, Rn2]$
- (95) Brace gusset Pl to beam flange fillet weld:
(Brace gusset connected to beam and column)
 $Fr = .707 * PHI * Fw * Weld_size$
 $Min_pl = 2Fr / (PHI * .6 * fy)$
 $\theta = \text{included angle between beam and brace}$
 $Pl_factor = t / Min_pl, (>0, \leq 1)$
Axial load = $Fr * 2 * Weld_size * Weld_len * Pl_factor / COS(\theta)$
- (96) Wf brace gusset plate tearout:
Under claw angles --
 $Lhd = \text{dim. between bolt cols in claw Ls}$
 $Ant = t * (Lhd - dh)$
 $Anv = t * (S * (Row - 1) + edge_dist - (Row - .5) * dh)$
 $Agt = t * Lhd$
 $Agv = t * S * (Row - 1) + edge_dist$
 $Rn1 = .6Fy * Agv + Fu * Ant$
 $Rn2 = .6Fu * Anv + Fy * Agt$
 $Rto1 = PHI * MAX[Rn1, Rn2]$
- Under web splice --
 $Ant = t * (Col_spa - Dh)$
 $Anv = 2t * (S * (Row - 1) + edge_dist - (Row - .5) * Dh)$
 $Agt = t * Col_spa$
 $Agv = 2t * (S * (Row - 1) + edge_dist)$
 $K = (Web_row + Flg_row) / Web_row$
 $Rn1 = .6Fy * Agv + Fu * Ant$
 $Rn2 = .6Fu * Anv + Fy * Agt$
 $Rto2 = PHI * MAX[Rn1, Rn2] * K$
- Tension = $MIN[Rto1, Rto2]$

- (97) Brace bolt shear:
 n = number of bolts in connection
 One column; $n = \text{Row}$
 Two columns; $n = 2 * \text{Row} - 1$
 Bearing type bolts:
 $\text{Load} = \text{PHI} * F_n * A_b * n * \text{Shear}$
 Slip-critical bolts at factored loads:
 $\text{Load} = \text{PHI} * R_{str} * n * \text{Shear}$
- (98) Beam web stress, axial & shear load:
 Refer to misc design note 32;
 $A_g = \text{depth} * T_w$
 T = applied tension, R = shear reaction
 $\sigma = T / A_g$
 $\tau = R / A_g$
 Load = maximum R to satisfy the yield criterion
- (99) Horiz. brace interactive gusset stress:
 Refer to misc design note 32;
 θ = included angle between brace and support
 T = applied brace tension, formula evaluated at each bm
 $\sigma = T * \sin(\theta) / A_g$
 $\tau = T * \cos(\theta) / A_g$
 Load = maximum T to satisfy the yield criterion
- (100) Gusset to support fillet weld, no eccentricity:
 (One brace connected to gusset; gusset
 connected to one supporting member)
 $F_r = \text{PHI} * F_w * .707 * \text{Weld_size}$
 $\text{Min_pl} = 2 * F_r / (\text{PHI} * .6 F_y)$
 $\text{Pl_factor} = t / \text{Min_pl}, \quad (>0, \leq 1)$
 $\text{Axial load} = F_r * 2 * \text{Pl_factor} * \text{Weld_len} / 1.4$
 (1.4 is the 'Richard factor')
- (101) Angle brace intersection gusset compression:
 L = dim. from bolt to brace intersection point
 $K = .65$ (effective length factor)
 $A_g = b * t$
 Axial load = $F_{cr} * A_g$

- (102) 'K' brace connection interactive gusset stress:
 See design note #21.
 P_p = brace force component parallel to support
 P_n = brace force component normal to support
 E_o = ecc. from C/L gusset to normal component
 A_g = Thickness*Length
 S_x = Thickness*Length²/6
 f_v = SUM[P_p]/ A_g
 f_t = SUM[P_n]/ A_g +SUM[P_n * E_o]/ S_x
 F_v = PHI * .6 Fy, F_t = PHI * Fy
 Axial load = largest force to satisfy: $f_v/F_v+f_t/F_t \leq 1$
- (103) 'K' brace connection combined weld stress:
 P_p = brace force component parallel to support
 P_n = brace force component normal to support
 F_r = PHI * F_w * .707 * weld_size
 Min_{pl} = 2 * F_r / (PHI * F_y)
 Pl_{factor} = t/Min_{pl} , (>0, <=1)
 L = gusset plate length, weld length
 Tot_{weld} = 2*L
 S_x = 2*L²/6
 f_1 = P_p/Tot_{weld} , f_2 = SUM[P_n]/ Tot_{weld}
 f_3 = SUM[P_n * E_o]/ S_x
 Axial load = largest force to satisfy:
 $SQRT[f_1^2+(f_2+f_3)^2] \leq F_r*Pl_{factor}$
- (104) Gusset plate stress on 'Whitmore' section:
 S_2 = spacing between outside bolt cols
 W_s = $Spa*(Row-1)*2*TAN(30)+S_2$
 Axial load = PHI* F_y * t * W_s
- (105) Gusset buckling stress on 'Whitmore' section:
 W_s = $Spa*(Row-1)*2*TAN(30)+g_2$
 Effective length factor:
 K = .5 for brace to beam & col, Vol II pg 7-113
 K = 1.2 for other cases, Vol II pg 7-138
 Kl/r = $K*L_b/(t/SQRT[12])$, for a lin. wide strip
 Axial load = PHI * F_{cr} * t * W_s
- (106) Gusset plate interactive stress:
 (One brace connected to gusset, and gusset is attached to one supporting member)
 Refer to misc design note 32;
 ecc = eccentricity from the C/L of the weld
 θ = included angle between brace and support

 T = applied brace tension
 θ = included angle between brace and support
 σ = $T * \sin(\theta) / A_g + T * \cos(\theta) * ecc / S_x$
 τ = $T * \cos(\theta) / A_g$
 Load = maximum T to satisfy the yield criterion
- (107) Gusset plate weld, eccentrically loaded fillets:
 (Elastic method)
 L = weld length
 Ecc = eccentricity measured from C/L of weld
 θ = angle between the weld axis and line of force
 F_r = PHI * F_w * .707 * $Eff_{weld} / Richard_{factor}$
 (if the eccentricity < .5, $Richard_{factor}$ = 1.4
 otherwise $Richard_{factor}$ = 1.0)
 S_x = 2 * $L^2 / 6$
 f_1 = Load * COS(θ) / 2 / L, parallel to weld axis
 f_2 = Load * SIN(θ) / 2 / L, perp. to weld axis
 f_3 = Load * SIN(θ) * Ecc / S_x , perp. to weld axis
 Axial load = largest value to satisfy:
 $f_1^2 + (f_2 + f_3)^2 \leq F_r^2$

- (108) Beam web yielding and crippling (K1):
 N = length of bearing, $\geq K_dist$
 Local Web Yielding --
 Load applied at a distance from the end of the member that is greater than the depth of the member,
 $R_n = (N + 5 * K_dist) F_y T_w$ (K1-2)
 Load applied at or near the end of the member,
 $R_n = (N + 2.5 * K_dist) F_y T_w$ (K1-3)
 Load = $\phi * R_n$
- Web Crippling --
 d = depth of the member
 Load applied at a distance not less than $d/2$ from the end of the member,
 $R_n = 135 T_w^2 * (1 + 3(N/d) * (T_w/T_f)^{1.5}) * \sqrt{F_y * T_f / T_w}$ (K1-4)
 Load applied less than a distance $d/2$ from the end of the member,
 $N/d \leq .2$,
 $R_n = 68 T_w^2 * (1 + 3(N/d) * (T_w/T_f)^{1.5}) * \sqrt{F_y * T_f / T_w}$
 $N/d > .2$
 $R_n = 68 T_w^2 * (1 + (4N/d - .2)) * (T_w/T_f)^{1.5} * \sqrt{F_y * T_f / T_w}$
 Load = $\phi * R_n$ (K1-5a, -5b)
- (109) Beam net section moment strength:
 $A_{fg} = B_f * T_f$
 $A_{fn} = (B_f - 2 * D_h) * T_f$
 $T_1 = .75 F_u A_{fn}$, $T_2 = .9 F_y A_g$ (B10-1)
 If $T_1 \geq T_2$:
 Moment = $F_y Z_x$
 If $T_1 < T_2$:
 $A_{fe} = 5 F_u A_{fn} / (6 F_y)$ (B10-3)
 Deduct = $A_{fg} - A_{fe}$
 $Z_e = Z_x - ((1 - A_{fe}/A_{fg}) * A_{fg} * depth)$
 Moment = $F_y Z_e$
- (110) Bearing strength at bolt holes, without eccentricity:
 N_e = number of edge bolts
 $L_c = L_e - .5 D_h$
 $R_{n_e} = R_n$ (J3-2a) or (J3-2c)
 N_i = number of interior bolts
 $L_c = Spacing - D_h$
 $R_{n_i} = R_n$ (J3-2a) or (J3-2c)
 Load = $\phi (R_{n_e} * N_e + R_{n_i} * N_i) * Shear$
- (111) 'One side' clip angle weld design, L shaped weld:
 C = weld group coefficient Table 8-44
 D = number of sixteenths of an inch in weld size
 $Min_support = .707 * \phi * F_w * Weld_size / (\phi * .6 * F_y)$
 $Weld_factor = Support\ thickness / min_support \leq 1$
 Load = $C * D * C_n_depth * Weld_factor$

(112) Shear tab weld:
 C = coefficient from Table 8-38, $k = 0$
 D = number of sixteenths in weld size
 Eff fillet weld leg at HSS col wall = :
 $\text{SQRT}[2] * .9 F_y * T_w / (.75 F_{exx})$
 Fillet weld ---
 $\text{Load} = C * C_n\text{depth} * D$

CJP weld ---
 When $L_a \leq 3.5$
 $\text{Load} = \text{PHI} * .6 F_y * A_{gv}$
 When $L_a > 3.5$:
 $f_v / F_v + f_b / F_b \leq 1$
 $F_v = \text{PHI} * .6 * F_y, \quad F_b = \text{PHI} * F_y$
 $K = 1 / (A_g * F_v) + E_w / (S_x * F_b)$
 $\text{Load} = 1 / K$

(113) Column moment strength, 4- or 8-tension-bolt
 extended end plate moment connection:
 (LRFD Vol II AISC Pages 10-36 to 10-39)
 $T_w\text{c}$ = Column web thickness
 $F_y\text{c}$ = Column yield strength
 $T_f\text{c}$ = Column flange thickness
 k = Column 'k' distance
 Depth_b = Beam depth
 $T_f\text{b}$ = Beam flange thickness
 $F_y\text{b}$ = Beam yield strength
 P_f = Distance from top of beam flange to 1st bolt
 T_p = End plate thickness
 P_b = Bolt spacing (8-bolt end plate only)

Col web yielding opposite bm comp flg ---
 Intermediate column locations,
 $R_n = (6k + N + 2T_p) F_y T_w$
 Column-end locations,
 $R_n = (3k + N + 2T_p) F_y T_w$
 $P_1 = \text{PHI} * R_n$

Column web buckling ---
 Intermediate column locations,
 $R_n = 4100 T_w^3 * \text{SQRT}[F_y] / D_c$
 Column-end locations,
 $R_n = 4100 T_w^3 * \text{SQRT}[F_y] / (2 D_c)$
 $P_2 = \text{PHI} * R_n$

Column flange bending at beam tension flg ---
 Four bolt, $\text{Alpha}_m = 1.36 (P_e / D_b)^{.25}$
 $B_s = 2.5 (2 * P_f + T_f\text{b})$
 Eight bolt, $\text{Alpha}_m = 1.13 * (P_e / D_b)^{.25}$
 $B_s = 2.5 P_f + T_f\text{b} + 3.5 P_b$
 $R_n = B_s / (\text{Alpha}_m * P_e) T_f\text{c}^2 * F_y\text{c}$
 $P_3 = \text{PHI} * R_n$
 $\text{Moment} = \text{MIN}[P_1, P_2, P_3] * (\text{Depth}_b - T_f\text{b})$

(114) Not used

(115) Angle brace and gusset bearing check:

N_e = number of edge bolts
 $L_c = L_e - .5D_h$
 $R_{n_e} = R_n$ (J3-2a) or (J3-2c)

N_i = number of interior bolts
 $L_c = \text{Spacing} - D_h$
 $R_{n_i} = R_n$ (J3-2a) or (J3-2c)

Load = $\phi (R_{n_e} * N_e + R_{n_i} * N_i) * \text{Shear}$

(116) 'L' Shaped weld connecting a gusset to a column and a base or cap plate:

(Elastic method)

W_x = Horiz. weld length, W_y = vert. weld length

$L_w = W_x + W_y$, total weld length

θ = Angle between brace and vertical

C_h, C_v = Horiz. or vert. dist from the C.G. of weld group to the point of weld being checked

Ecc = Perp dist. from C.G. of weld group to line of force

I_p = polar moment inertia of the weld group

$F_r = \phi * F_w * .707 * E_{ff_weld} * 2$

Top end of the vert weld:

$f_1 = P(\cos(\theta)/L_w + Ecc * C_h / I_p)$

$f_2 = P(\sin(\theta)/L_w + Ecc * C_v / I_p)$

$P_1 = \text{largest } P \text{ to satisfy } f_1^2 + f_2^2 \leq F_r^2$

End of horiz weld farthest from wp:

$f_1 = P(\cos(\theta)/L_w + Ecc * C_h / I_p)$

$f_2 = P(\sin(\theta)/L_w + Ecc * C_v / I_p)$

$P_2 = \text{largest } P \text{ to satisfy } f_1^2 + f_2^2 \leq F_r^2$

Axial load = $\text{MIN}[P_1, P_2]$

(117 thru 119) Not used

- (120) Tearout stress for plate, C web or W web:

$$Av_n = (Le - .5 * Dh + (Row - 1) * (Spa - Dh)) * 2 * t$$

$$Avg = (Le + (Row - 1) * Spa) * 2 * t$$

$$Cl_spa = \text{Spacing between center cols. for an even number of columns}$$
One column:
$$Agt = 0$$

$$Ant = 0$$
Odd number of columns:
$$Ant = (Column - 1) * (Col_spa - Dh) * t$$

$$Agt = (Column - 1) * Col_spa * t$$
Even number of columns:

$$Ant = ((Column - 2) * (Col_spa - Dh) + (Cl_spa - Dh)) * t$$

$$Agt = ((Column - 2) * Col_spa + Cl_spa) * t$$

$$Rn1 = .6 * Fy * Agv + Fu * Ant$$

$$Rn2 = .6 * Fu * Anv + Fy * Agt$$
Axial load = $PHI_J4 * MAX[Rn1, Rn2]$
- (121) Tee brace tearout stress

$$Av = (Le - .5 * Dh + (Row - 1) * (Spa - Dh)) * 2 * Tf$$

$$At = (Bf - Flg_ga - Dh) * Tf$$
Axial load = $At * Ft + Av * Fv$
- (122) Tee or channel brace gross area axial stress:
Axial load = $PHI * Fy * Ag$
- (123) Tee or channel brace net section axial tension:
Deduct = $2 * Tf * Dh$ (Tee)
Deduct = $Column * Tw * Dh$ (Channel)
 $Ant = Agt - Deduct$
 $Ae = Ant * U$
Axial load = $Ae * PHI * Fu$
- (124) Connection plate tension stress:
 $Ft_n = PHI * Fu * An,$ $Ft_g = PHI * Fy * Ag,$ (D1)
 $Wg = b$
 $Wn = b - (Column * Dh) \leq .85 * \text{Gross width}$ (B3)
 $Ag = Wg * t$
 $An = Wn * t$
Axial load = $MIN[Ft_n, Ft_g]$
- (125) Beam flange weld to column:
(CJP weld, beam flange to column)
Sw = Connecting flange plate or column flange width at weld
 $M = PHI * Mp$
Moment = $M * (Sw / Bf);$ (Sw / Bf <= 1.0)
- (126) Shear end plate, CJP weld to web:
See design note #21.
 $Fa = PHI * Fu,$ $Fv = PHI * .6 * Fy$
(fa/Fa + fv/Fv <= 1)
Load = $((Cn_depth - .5) * Tw * Fy - Axial\ load / .6) * .4$
- (127) Bending and buckling on gross section of an element:
 $Sx = t * d^2 / 6$
Load = $PHI * Fy * Qs * Sx / La$

- (128) Weld stress on two 'C' shaped fillet welds,
 [], elastic method:
 l = Vertical weld segment length
 kl = Horizontal weld segment length
 a_l = Distance between vertical weld segments
 $Weld_len = 2 * l + 4 * kl$, total length of weld
 $Term1 = 1 / Weld_len + .5 * La * a_l / Ip$
 $Term2 = .5 * La * l / Ip$
 $Rv = PHI * Fw * .707 * Weld\ size$
 $Load = SQRT[Rv^2 / (Term1^2 + Term2^2)]$
- (129) Skew fillet welds, end plate shear connection:
 $Min_web = PHI * Fw * Eff_throat / (PHI * .6 * Fy)$
 $Web_factor = MIN[Tw / Min_web, 1]$
 $Weld_len = Cn_depth - 2 * Weld_size$
 $Fr = PHI * Fw * Eff_throat$
 $Load = Fr * Weld_len * Web_factor$
- (130 thru 137) Not used
- (138) Threaded round bar tension stress:
 $F1 = PHI * .75 * Fu$ Table J3.2
 $F2 = PHI * Fy$ (D1-1)
 $Axial\ load = MIN[F1, F2] * Agt$
- (139) Not used
- (140) Clevis pin shear/bending stress:
 Shear:
 $s1 = 2 * Pin\ area * PHI * .6Fu$
 Bending:
 $c_t = clevis\ side\ pl\ thickness$
 $Sx = PI * DIA^3 / 32$
 $grip = t + 1/4$
 $b1 = PHI * Fy * 4 * Sx / (grip + c_t)$
 $Axial\ load = MIN[s1, b1]$

(141) Turnbuckle design strength, AISC Table 15-5:
(PHI = .5)

Dia D	PHI*Rn	Dia D	PHI*Rn
3/8	3.0	2	93.0
1/2	5.5	2 1/4	120.0
5/8	8.75	2 1/2	150.0
3/4	13.0	2 3/4	188.0
7/8	18.0	3	242.0
1	23.3	3 1/4	305.0
1 1/8	29.0	3 1/2	305.0
1 1/4	38.0	3 3/4	420.0
1 3/8	43.5	4	420.0
1 1/2	52.5	4 1/4	585.0
1 5/8	61.3	4 1/2	585.0
1 3/4	70.8	4 3/4	585.0
1 7/8	93.0	5	737.0

(142) Clevis design strength, AISC Table 15-3:
(PHI = .5)

Clevis #	PHI*Rn
2	8.75
2 1/2	18.8
3	37.5
3 1/2	45.0
4	52.5
5	93.8
6	135.
7	171.
8	338.

(143) Not used

- (144) Brace gusset weld to beam flange:
 (brace gusset lap welded to a beam flange)
 θ = angle between brace and beam
 Ecc = eccentricity from weld C.G. to line of brace force
 $Min\ t = Fw * .707 * Weld_size / (PHI * .6\ Fy)$
 $Pl_factor = MIN[t / Min_t, 1]$
 $Fr = PHI * Fw * .707 * Weld_size * Pl_factor$
 $Ecc = 0:$
 Axial load = $2. * Fr * Weld_len$
 $Ecc > 0:$
 $Ix = Weld_len * SQR[.5 * Weld_spa] * 2.$
 $Iy = Weld_len^3 / 6.$
 $Ip = Ix + Iy$
 $k = COS(\theta) / 2. / Weld_len + Ecc * .5 * weld_spa / Ip$
 $m = Ecc * .5 * Weld_len / Ip + SIN(\theta) / 2. / Weld_len$
 Axial load = $Fr / SQR[SQR[k] + SQR[m]]$
- (145) Not used
- (146) Weld stress - two parallel fillet welds,
 load not in plane of weld group:
 C = coefficient Table 8-38, $k = 0;$
 D = number of sixteenths in weld size
 Load = $C * Cn_depth * D$
- (147) Vert Brace gusset to beam weld stress:
 (See Design Notes for interface forces)
 Elastic method
 $s_weld = SQR[weld_length] / 3$
 $Fr = .707 * PHI * Fw * Weld_size$
 $Fr = Fr / 1.4,$ 'Richard factor'
 $min_pl = Fr / (PHI * .6 * Fy)$
 when $t < min_pl,$ $Fr = Fr * t / min_pl$
 $f1 = Hb / (2 * weld_length)$
 $f2 = Vb / (2 * weld_length) + Mb / s_weld$
 $fr = SQR[f1^2 + f2^2]$
 Axial load = Maximum value of P to satisfy $fr \leq Fr$
- (148) VB Gusset shear & ten. near beam flange:
 (See Design Notes for interface forces)
 $Sx_pl = t * SQR[pl_length] / 6$
 $a_pl = t * pl_length$
 $f1 = Vb / a_pl + Mb / Sx_pl$
 $f2 = Hb / a_pl$
 $Fv = PHI * .6\ Fy,$ $Ft = PHI * Fy$
 Axial load = Maximum value of P to satisfy:
 $f1 / Ft + f2 / Fv \leq 1$

- (149) VB Beam web yielding under gusset PL:
 (See Design Notes for interface forces)
 $\text{eff_length} = \text{pl_length} + 2.5 * K_dist$
 $Sx_web = Tw * \text{eff_length}^2 / 6$
 $a_web = Tw * \text{eff_length}$
 $f_allow = PHI * Fy$
 $f_bw = Vb / a_web + Mb / Sx_web$
 Axial load = Maximum value of P to satisfy $f_bw \leq f_allow$
- (150) Vert brace Clip L bolt brg.:
 (See Design Notes for interface forces)
 Elastic method
 $c = .5 * S * (\text{Row} - 1)$
 $\text{ecc} = \text{dim. from face of Ls to CG of bolt group}$
 $Ix = \text{Column} * \text{Row} * S^2 * (\text{Row}^2 - 1) / 12$
 Two bolt cols --
 $Iy = \text{Row} * (.5 * S)^2 * 2$
 One bolt col -- $Iy = 0$
 $Ip = Ix + Iy$
 $f1 = Vc / \text{Row}$
 $f2 = Hc / \text{Row} + \text{ecc} * Vc * c / Ip$
 $Rv = \text{SQRT}[f1^2 + f2^2]$
 Rn is calculated using (J3-2a) or (J3-2c)
 Axial load = Maximum value of P to satisfy $Rv \leq PHI * Rn$
- (151) Vert brace Gusset clip L net shear:
 (See Design Notes for interface forces)
 $An = (\text{Cn_depth} - \text{row} * Dh) * (\text{ns_t} + \text{fs_t})$
 OSL bolted to column --
 $\text{Axial load} = An * r * Fv / \text{beta}$
 Leg bolted to gusset --
 $K = ec / An + \text{beta} * g / Sx_net$
 $Fv = PHI * .6 * Fy, Ft = PHI * Fu$
 $\text{Axial load (tension)} = r / (\text{beta} / (Fv * An) + K / Ft)$
- (152) VB Gusset clip L OSL stress, with prying:
 (See Design Notes for interface forces)
 $a = \text{osl} - \text{osl_ga}, b = \text{osl_ga} - Tf$
 $p = \text{Cn_depth} / \text{Row}, d_prime = Db + .0625$
 $\text{max } a = 1.25 * b$
 $b_prime = b - .5 * Db$
 $a_prime = a + .5 * Db$
 $\text{delta} = 1 - d_prime / p$
 $m = p * Tf * Tf * Fy / 4.4$
 $t = (1 + \text{delta}) * m / b_prime$
 Axial load = Max value of P to satisfy $Hc \leq 2 * t * \text{Row}$

- (153) Vert brace Gusset clip L OSL bolt shear:
 (See Design Notes for interface forces)
 Bearing type bolts:
 $Vc_allow = PHI * Fn * Ab * Row * Column * Shear$
 Slip-critical bolts at factored loads:
 $Vc_allow = PHI * Rstr * Row * Column * Shear$
 Axial load = Maximum value of P so that $Vc \leq Vc_allow$
- (154) VB Gusset clip L OSL bolt shear & ten interaction:
 (See Design Notes for interface forces)
 $Fv = PHI * Fn$ (Bearing bolts)
 $Fv = PHI * Rstr / Ab$ (SC bolts)
 $Ft = PHI * Rn$
 J3.5 & J3.6 interaction formulas apply
 $ft = \{ (Hc / Row / Column) + Q \} / Ab$
 $fv = Vc / Row / Column / Ab$
 Axial load = max value of P so that $ft \leq Ft$ & $fv \leq Fv$
- (155) VB Gusset clip L to gusset bolt shear:
 (See Design Notes for interface forces)
 Elastic method
 $Rv_allow = PHI * Fn * Ab$ (Bearing bolts)
 $Rv_allow = PHI * Rstr$ (SC bolts)
 $Ix = Row * Spa^2 * (Row^2 - 1) / 12$
 $Ip = Ix + Iy$
 $c = .5 * Spa * (Row - 1)$
 $f1 = Vc / row$
 $f2 = Hc / row + Vc * Ecc * c / Ip$
 $Rv = SQRT[f1^2 + f2^2]$
 Axial load = Max value of P to satisfy $Rv \leq Rv_allow$
- (156) VB Gusset clip L to gusset weld stress:
 (See Design Notes for interface forces)
 Elastic method
 $a = \text{clip L leg, } k = \text{horiz weld length}$
 $l = \text{clip L length}$
 $w = l + k + k, \quad \text{total weld length}$
 $Ip = (2 * k + 1)^3 / 12. - k^2 * (k + 1)^2 / (2 * k + 1)$
 $x = k^2 / w, \text{ loc of cg from vert weld line}$
 $f1 = Vc / w$
 $f2 = Vc * (k - x) * (a - x) / Ip$
 $f3 = Vc * (a - x) * .5 * l / Ip$
 $f4 = Hc / w$
 $fr = SQRT[(f1 + f2)^2 + (f3 + f4)^2]$
 $Fr = PHI * Fw * .707 * Eff_weld$
 Axial load = Max value of P so that $fr \leq Fr$
- (157) VB Gusset clip L OSL bolt bearing:
 (See Design Notes for interface forces)
 $P_allow_top = PHI * Rn * Column$
 $P_allow_lower = PHI * Rn * (Row - 1) * Column$
 Rn is calculated using (J3-2a) or (J3-2c)
 $Pallow = P_allow_top + P_allow_lower$
 Axial load = Max value of P so that $Vc \leq Pallow$

(158) Not used

(159) Wf brace, bearing on connection:
 Rn is calculated using (J3-2a) or (J3-2c)
 $L_{c_edge} = L_e - .5D_h$
 $L_{c_interior} = Spacing - D_h$
 N_e = number of edge bolts
 N_i = number of interior bolts
 $Axial\ load = \phi R_n N_e + \phi R_n N_i$

(160) Wf brace, tension on net conn. area:
 (Web splice PLs and flg. claw Ls)
 $A_{n_web} = 2 * t * MIN[b - 2. * D_h, .85 * b]$
 $W_{e_allow} = \phi * R_n * A_{n_web}$
 $W_{g_flg} = L_{leg} + L_{osl} - L_{thick}$
 $W_{n_flg} = W_{g_flg} - D_h$
 $A_{n_flg} = 4 * L_{thick} * W_{n_flg}$
 $A_{e_flg} = U * A_{n_flg}$
 $W_{f_allow} = \phi * R_n * A_{e_flg}$
 $Tension = W_{e_allow} + W_{f_allow}$

(161) Wf brace, bearing on gusset:
 Rn is calculated using (J3-2a) or (J3-2c)
 N_e = number of edge bolts
 N_i = number of interior bolts
 $W_{e_allow} / W_{f_allow} = \phi (R_n N_e + R_n N_i)$
 $Axial\ load = W_{e_allow} + W_{f_allow}$

(162) Wf brace, tension on net brace area:
 (Flange and web connected)
 $W_{f_deduct} = D_h * T_f * 4$
 $W_{e_deduct} = D_h * T_w * 2$
 $A_e = A_n = A_g - W_{f_deduct} - W_{e_deduct}$
 (Web only connected, shear lag)
 $W_{e_deduct} = D_h * T_w * 2$
 $A_e = U * (A_g - W_{e_deduct})$
 $P_n = F_u * A_e$
 $Tension = \phi * P_n$

(163) Not used

(164) Wf brace, tension on net conn. area:
 (Web Channel, no flange connection)
 $A_n = A_{g_c} - (D_h * T_{w_c} * W_{e_col})$
 $A_e = U * A_n * 2$
 $R_n = A_e * F_u$
 $Tension = \phi * R_n$

- (165) 'L' Shaped weld, brace gusset to a column and base (or cap) P1:
 (Uniform force method, with both interfaces equally stiff, Vol II pg 7-109)
 Brace W.P. at bottom of base plate.
 v = weld length to col, h = weld length to P1
 θ = angle between brace and col
 ec = ecc. at col, eb = ecc. at base P1
 $\text{Alpha_bar} = .5 * h$, $\text{Beta_bar} = .5 * v$
 $K = eb * \text{TAN}(\theta) - ec$
 $K_prime = \text{Alpha_bar} * (\text{TAN}(\theta) + \text{Alpha_bar} / \text{beta_bar})$
 $D = \text{SQR}[\text{TAN}(\theta)] + \text{SQR}[\text{Alpha_bar} / \text{Beta_bar}]$
 $\text{term1} = \text{SQR}[\text{Alpha_bar} / \text{Beta_bar}]$
 $\text{Alpha} = (K_prime * \text{TAN}(\theta) + K * \text{term1}) / D$
 $\text{Beta} = (K_prime - K * \text{TAN}(\theta)) / D$
 $\text{delta_alpha} = \text{Alpha_bar} - \text{Alpha}$
 $\text{delta_beta} = \text{beta_bar} - \text{Beta}$
 $r = \text{SQRT}[(\text{Alpha} + ec)^2 + (\text{Beta} + eb)^2]$
 $Hb = \text{Alpha} * P / r$, $Vb = eb * P / r$, $Mb = Vb * \text{delta_alpha}$
 $Vc = \text{Beta} * P / r$, $Hc = ec * P / r$, $Mc = Hc * \text{delta_beta}$
 top end of vert weld:
 $f1 = Vc / v$
 $f2 = Hc / v + Mc / Sx_v$
 toe end of horiz weld:
 $f1 = Vb / h + Mb / Sx_h$
 $f2 = Hb / h$
 $fr = \text{SQRT}[f1^2 + f2^2]$
 Axial load = largest value of P so that $fr \leq \text{PHI} * Fw$
- (166) Gusset shear, horiz. brace gusset to two bms:
 Shear resistance at beam1:
 $sr1 = \text{PHI} * Rn1$
 Shear resistance at beam2:
 $sr2 = \text{PHI} * Rn2$
 (θ = angle between the brace and beam2)
 Axial load = $\text{MIN}[sr1 / \text{SIN}(\theta), sr2 / \text{COS}(\theta)]$
- (167) Gusset stress at cope, horiz. brace gusset connecting to two beams:
 Refer to misc design note 32;
 θ = the angle between brace and bm 1
 At beam 1:
 $\tau = P * \text{cos}(\theta) / (b * t)$, $Sx = t * b^2 / 6$
 $\sigma = P * \text{cos}(\theta) * ecc / Sx$
 $P1 = \text{max } P \text{ to satisfy the yield criterion}$
 At beam 2:
 $\tau = P * \text{sin}(\theta) / (b * t)$, $Sx = t * b^2 / 6$
 $\sigma = P * \text{sin}(\theta) * ecc / Sx$
 $P2 = \text{max } P \text{ to satisfy the yield criterion}$
 Axial load = $\text{MIN}[P1, P2]$

(168) Bolt shear at beam connections, horizontal
brace gusset connected to two beams:
Bearing type bolts:
 $R_v = \text{PHI} * F_n * A_b * \text{Row} * \text{Column} * \text{Shear}$
 Slip-critical bolts at factored loads:
 $R_v = \text{PHI} * R_{str} * \text{Row} * \text{Column} * \text{Shear}$
 $p_1 = R_v * \text{Row}_1, \quad \text{at beam 1}$
 $p_2 = R_v * \text{Row}_2, \quad \text{at beam 2}$
 Axial load = $\text{SQRT}[p_1^2 + p_2^2]$

(169) Interactive web stress, clip L with axial load:
 See design note #21.
 Tension load ---
 Welded angle:
 Coped beam -
 $\text{Alpha} = \text{Block shear value from eqn. 7}$
 Uncoped beam -
 $A_1 = T_w * \text{Conn_depth}$
 $A_2 = T_w * \text{Conn_width} - \text{Setback}$
 $\text{Alpha} = .54F_y * A_1 + .75F_u * A_2$
 $\text{Beta} = \text{value from equation 55}$
 Bolted angle:
 $A_1 = T_w(\text{Row} - 1)(\text{Spacing} - D_h)$
 Uncoped beam:
 $A_2 = 2 * T_w(L_h - .5 * D_h)$
 Beam with top or bot cope:
 $A_2 = T_w(L_h - .5 * D_h)$
 Beam with top & bot. cope: $A_2 = 0.$
 $\text{Alpha} = \text{PHI} * .6F_u * A_1 + \text{PHI} * F_u * A_2$
 $\text{Beta} = \text{PHI} * .6F_u * A_2 + \text{PHI} * F_u * A_1$
 $t_check = \text{Alpha} * \text{SQRT}[1 - (\text{Tension load}/\text{Beta})^2]$

Compression load ----
 Welded angle:
 $A_1 = T_w * \text{Conn_depth}$
 $A_2 = T_w * \text{Conn_width}$
 $A_2 = .5 * A_2, \text{ for a coped beam}$
 Bolted angle:
 $A_1 = T_w * (\text{Row}-1) * \text{Spacing}$
 $A_2 = T_w * L_h$
 $A_2 = .5 * A_2, \text{ for a coped beam}$
 $\text{Alpha} = .54F_y * A_1 + .75F_u * A_2$
 $\text{Beta} = \text{PHI} * F_y * A_1$
 $c_check = \text{Alpha} * \text{SQRT}[1 - (\text{Comp load}/\text{Beta})^2]$
 $\text{Load} = \text{MIN}[c_check, t_check]$

- (170) Splice plate rupture thru net section:
 $D = Cn_depth, \quad n = Row, \quad b = Spa$
 $Sx_net = t * D^2 / 6 - b^2 * n * (n^2 - 1) * t * (Dh) / 6D \quad AISC Pg 4-88$
 $La = Setback + Lh + .5 * Spa * (Column - 1)$
 $Fb = .75 * Fu$
 $Load = Fb * Sx_net / La$
- (171) Col/Bm web local yielding under brace gusset:
 $Fp = PHI * Rn, \quad (K1-3)$
 $theta = \text{included angle between brace \& support}$
 $eff_web = guss_length + 2.5 * K_dist$
 $eff_web_area = tw * eff_web$
 $Sx_web = Tw * SQR[eff_web] / 6.$
 $ecc = \text{load eccentricity from c/l of gusset}$
 $Axial\ load = Fp / (ecc / Sx_web + 1 / eff_web_area) / SIN[theta]$
- (172) Tension loaded end pl or clip L OSL -- gross shear:
 $((PHI * Fy)^2 = fv_shear^2 + fv_tension^2)$
 $Ag = Conn_depth * t * 2$
 $K = SQR[Fv] - SQR[ten_load / Ag]$
 $Load = SQR[K] * Ag$
- (173) Tension loaded end pl or clip L OSL -- net shear:
 $((PHI * Fy)^2 = fv_shear^2 + fv_tension^2)$
 $An = (Conn_depth - Row * Dh) * t * 2$
 $K = SQR[Fv] - SQR[ten_load / An]$
 $Load = SQR[K] * An$
- (174) Col. web local bending stress (axially loaded end pl or clip L):
 $(Tw, Depth \& K_dist \text{ are column dimensions})$
 $c = \text{Distance between the top \& bot bolts}$
 $l = c + 12 * Tw; \text{ effective web length}$
 $\text{For a 1 inch wide strip of web, with fixed ends:}$
 $Sx = SQR[Tw] / 6$
 $L = Depth - 2 * K_dist, \quad a = .5(L - Gage)$
 $P = PHI * Fy * Sx * L / a(L-a)$
 $Axial\ load = 2 * P * l$
- (175) Col/Bm web local bending stress, single brace gusset welded to web with no member framing opposite:
 $d = gusset_length, \quad e = 12 * tw, \quad Sx_w = SQR[Tw] / 4.$
 $L = depth - 2 * k_dist$
 $Rn = .9 Fy$
 $K = 8PHI * Rn * Sx_w * (d+e) / [L(1 + 6Ecc / (d+2e))]$
 $theta = \text{angle between brace and member}$
 $Axial\ load = K / SIN[theta]$

- (176) Supporting bm web local stress (axially loaded end pl or clip L:
 a = bottom conn hole to toe of fillet
 b = dist between top & bot conn holes
 c = top conn hole to toe of filler
 $L = a + b + c$
 l = conn gage + $12 * tw$, effective web width
 M = moment on a 1 in. wide strip of web, length L
 fixed ends, with a uniform load located over b
 w = load, kips per inch, on length b
 $S_x = l * Tw^2 / 6$
 $R_n = PHI * F_y$
 w = largest load to satisfy $M/S_x \leq PHI * R_n$
 Axial load = $w * l * b$
- (177) Column flange bending stress, tension
 loaded clip L or end pl connection:
 (AISC page 4-90 & 'Engr. Journal', Vol. 22, No 2, pg 65)
 p = Spacing $d' = Db + 1/16$ (Db+2 mm)
 $\Delta = 1 - d'/p$ $M = p * T_f^2 * F_y / 4.44$
 $T = (1 + \Delta) * M / b'$
 Tension = $2 * Row * T$
- (178) HSS brace to gusset weld:
 (Brace notched to fit over gusset)
 HSS Connections Manual 6-18
 Ww = fillet weld size, $W_e = W_w - 1/16$
 $PHI = .75$, $A_w = 4(.707) W_e * L_w$
 $PHI * R_n = PHI * A_w * F_w$
 $t_1 = 1.18 * F_{exx} * W_w / F_{y_plate}$
 when gusset pl thick $\geq t_1$:
 Axial load = $PHI * R_n$
 when gusset pl thick $< t_1$:
 Axial load = $PHI * R_n * t / t_1$
- (179) HSS brace net area tension:
 HSS Connections Manual 6-17
 $A_n = A_g - 2Tw * (Guss_thick + 1/8)$
 $A_e = A_n * U$
 $U = 1 - x_bar / L$
 Round HSS, $x_bar = D / PI$
 Rect. HSS, $x_bar = (B^2 + 2BH) / 4(B+H)$
 where: H = tube dim parallel to gusset
 B = tube dim perp to gusset
 Axial load = $A_e * PHI * F_u$
- (180) HSS brace gross area:
 Axial load = $PHI * F_y * A_g$
- (181) HSS brace gusset tear-out (brace welded to gusset):
 Volume II Connections, pg 2-45
 $Ag_v = 2. * weld\ length * t$
 $Agt = brace\ width * t$
 $f_1 = PHI * .6 F_y * Ag_v$ (J5-3)
 $f_2 = PHI * F_u * Agt$ (J5-2)
 Case1 = $f_1 + f_2$

 $f_1 = PHI * .6 F_u * Ag_v$ (J4-1)
 $f_2 = PHI * F_y * Agt$ (J5-1)
 Case2 = $f_1 + f_2$
 Axial load = $MAX[Mode1, Mode2]$

- (182) HSS brace tear-out (brace welded to gusset):
 HSS Connections Manualx 6-17, shear strength
 $A_e = 4 * weld_len * Tw$
 $V_n = .6 * F_y * A_e, \phi = .9$
 Axial load = $\phi * V_n$
- (183) Perp. to bm. horiz. L brace gusset tearout:
 One column:
 Straight line tearout
 $R_{n1} = \phi * F_y * A_{gt}$
 $R_{n2} = \phi * F_u * A_{nt}$
 $Mode1 = \min[R_{n1}, R_{n2}]$
 L shaped tearout
 $R_{n1} = \phi (.6 F_y * A_{gv} + F_u * A_{nt})$
 $R_{n2} = \phi (.6 F_u * A_{nv} + F_y * A_{gt})$
 $Mode2 = \max[R_{n1}, R_{n2}]$
 Axial load = $\min[Mode1, Mode2]$
- Two columns:
 L shaped tearout
 $R_{n1} = \phi (.6 F_y * A_{gv} + F_u * A_{nt})$
 $R_{n2} = \phi (.6 F_u * A_{nv} + F_y * A_{gt})$
 $Mode1 = \max[R_{n1}, R_{n2}]$
 [shaped tearout
 $R_{n1} = \phi (.6 F_y * A_{gv} + F_u * A_{nt})$
 $R_{n2} = \phi (.6 F_u * A_{nv} + F_y * A_{gt})$
 $Mode2 = \max[R_{n1}, R_{n2}]$
 Axial load = $\min[Mode_1, Mode_2]$
- (184) Perp. to bm. horiz. Tee brace gusset tearout:
 Straight line tearout
 $R_{n1} = \phi * F_y * A_{gt}$
 $R_{n2} = \phi * F_u * A_{nt}$
 $Mode1 = \min[R_{n1}, R_{n2}]$
 L shaped tearout
 $R_{n1} = \phi (.6 F_y * A_{gv} + F_u * A_{nt})$
 $R_{n2} = \phi (.6 F_u * A_{nv} + F_y * A_{gt})$
 $Mode2 = \max[R_{n1}, R_{n2}]$
 [shaped tearout
 $R_{n1} = \phi (.6 F_y * A_{gv} + F_u * A_{nt})$
 $R_{n2} = \phi (.6 F_u * A_{nv} + F_y * A_{gt})$
 $Mode3 = \max[R_{n1}, R_{n2}]$
 Axial load = $\min[Mode_1, Mode_2, Mode_3]$
- (185) Beam web local bending stress, single brace gusset:
 welded to web with no member framing opposite:
 $d = gusset_length, e = 12 * tw, S_{x_w} = \sqrt{tw}/6$
 $a = \text{dim from edge of web to c/l of gusset}$
 $b = \text{dim c/l of gusset to opposite edge of web}$
 $l = a + b, \text{ beam 'T' dimension}$
 $\theta = \text{angle between brace and beam}$
 $K = 1/(d + e) * (1 + 6 * ecc/(d + 2 * e))$
 $F_b = .9 * F_y$
 $p1 = l^3 * F_b * S_{x_w} / (2 * \sqrt{a} * \sqrt{b}) / K$
 $p2 = l^2 * F_b * S_{x_w} / (a * b^2) / K$
 $p3 = l^2 * F_b * S_{x_w} / (b * a^2) / K$
 Axial load = $\min[p1, p2, p3] / \sin[\theta]$

(186) Not used

(187) Clip L to gusset bolt shear:

(See Design Notes for UFM interface forces)

ecc = dist from heel of angle to bolt line

f_{pa} = force parallel to angle's longitudinal axis

f_{pr} = force perpendicular to angle's longitudinal axis

nb = number of bolts

I_p = polar moment of inertia of bolt group

Brace connecting to a col & beam:

At beam: $f_{pa} = H_b$, $f_{pr} = V_b$, $Mom = M_b$

At column: $f_{pa} = V_c$, $f_{pr} = H_c$, $Mom = M_c$

$total\ m = Mom + f_{pa} * ecc$

$f_1 = \bar{f}_{pa} / nb + total\ m * (column - 1) * col_spa * .5 / I_p$

$f_2 = \bar{f}_{pr} / nb + total\ m * (row - 1) * spacing * .5 / I_p$

$R_v = \sqrt{f_1^2 + f_2^2}$

(F_v from Table J3.2)

Axial load = maximum P to satisfy $R_v \leq \phi * F_v * A_b$

(188) Clip L to gusset bolt bearing:

(See Design Notes for UFM interface forces)

ecc = dist from heel of angle to bolt line

f_{pa} = force parallel to angle's longitudinal axis

f_{pr} = force perpendicular to angle's longitudinal axis

nb = number of bolts

I_p = polar moment of inertia of bolt group

Brace connecting to a col & beam:

At beam: $f_{pa} = H_b$, $f_{pr} = V_b$, $Mom = M_b$

At column: $f_{pa} = V_c$, $f_{pr} = H_c$, $Mom = M_c$

$total\ m = Mom + f_{pa} * ecc$

$f_1 = \bar{f}_{pa} / nb + total\ m * (column - 1) * col_spa * .5 / I_p$

$f_2 = \bar{f}_{pr} / nb + total\ m * (row - 1) * spacing * .5 / I_p$

$R_v = \sqrt{f_1^2 + f_2^2}$

($\phi * R_n$ from Spec J3.10)

Axial load = maximum P to satisfy $R_v \leq \phi * R_n$

(189 thru 192) Not used

- (193) Wf brace net or gross area stress:
 (Both flanges bolted to gusset)
 $Ag = Bf * Tf * 2 + (Depth - 2 * Tf) * Tw$
 $An = Ag - Tf * Dh * 2 * Column$
 Net area axial load = $An * PHI * Fu * U$
 Gross area axial load = $Ag * PHI * Fy$
- (194) Wf brace net brace tearout:
 (Both flanges bolted to gusset)
 $Ant = 2Tf * (Bf - Gage - 2 * Sec_gage - Dh)$
 $Agt = 2Tf * (Bf - Gage - 2 * Sec_gage)$
 $Anv = 4 * Tf * (S(Row - 1) + End_edge - Dh(Row - .5))$
 $Agv = 4 * Tf * (S(Row - 1) + End_edge)$
 $Rn1 = PHI(.6 * Fy * Agv + Fu * Ant)$
 $Rn2 = PHI(.6 * Fu * Anv + Fy * Agt)$
 Axial load = $MAX[Rn1, Rn2]$
- (195) Guss plate tearout:
 (WF brace, both flanges bolted to gusset)
 $Ant = (Gage + 2 * Sec_gage) - Dh * (Column - 1)$
 $Ant = t * Ant * 2$
 $Anv = S * (Row - 1) + End_edge - Dh * (Row - .5)$
 $Anv = Anv * t * 4$
 $Agv = t * 4 * (Spacing * (Row - 1) + End_edge)$
 $Rn1 = PHI(.6 * Fy * Agv + Fu * Ant)$
 $Rn2 = PHI(.6 * Fu * Anv + Fy * Agt)$
 Axial load = $MAX[Rn1, Rn2]$
- (196) Intersecting gusset net/gross area:
 (WF brace, web horiz. both flgs bolted to gusset)
 $Ag = 2 * Width * Thick$
 $An = 2 * (Width - Column * Dh) * Thick <= .85Ag$
 Net area axial load = $PHI * An * Fu$
 Gross area axial load = $PHI * Ag * Fy$
- (197) Gusset clip L stress, leg to gusset:
 (WF brace, both flgs bolted to gusset)
 theta = angle between brace and member
 $Sx = Angle_thick * SQR[Angle_length] / 6$
 $Area = Angle_length * Angle_thick$
 $Fv = PHI * Fy, Ft = PHI * .6Fy$
 $(fv/Fv + ft/Ft <= 1)$
 $K = SIN(theta) / Area + Ecc * SIN(theta) / Sx$
 $P = 1. / (COS(Phi) / (Area * Fv) + K / Ft)$
 Axial load = $2P$
- (198) Gusset clip L stress, leg to bm/col flange:
 (WF brace, both flgs bolted to gusset)
 theta = angle between brace and member
 Oh = dim from toe of sprtg. flng to heel of angle
 $A = Angle_length * Angle_thick$
 $Sx = Angle_thick * SQR[Angle_length] / 6$
 $Fb = Fy, Fv = PHI * .6Fy$
 $T1 = Sx * Fb / (SIN[theta] * Oh)$
 $K = SQR[SIN(theta) / A] + SQR[COS(theta) / A]$
 $T2 = SQRT[SQR[Fv] / K]$
 Axial load = $2 * MIN[T1, T2]$

- (199) Gusset to clip L weld stress:
(WF brace, both flgs bolted to gusset)
 $\theta = \text{angle between brace and member}$
 $Tl = 2. * \text{angle_length}$
 $Fr = PHI * Fw * .707 * \text{Weld_size}$
 $k = \text{SQR}[\text{COS}[\theta] / Tl] + \text{SQR}[\text{SIN}[\theta] / Tl]$
 $p = \text{SQRT}[\text{SQR}[Fr] / k]$
Axial load = 2 p
- (200) WF brace, web horiz, weld stress, angle
connection to supporting member:
 $\theta = \text{angle between brace and support}$
 $Fr = PHI * Fw * .707 * \text{Weld_size}$
 $L = \text{weld length, } Sx = 2 * L^2 / 6$
 $K = \text{ecc} * \text{SIN}(\theta) / Sx + \text{SIN}(\theta) / 2L$
Axial load = $2\text{SQRT}[Fr^2 / (\text{COS}(\theta)/2L)^2 + K^2]$
- (201) Shear tee shop bolts, with eccentricity:
J3.7 & J3.9b interaction formulas apply
Applied tension = $P * \text{Ecc} / Sx$ of bolt group
 $\text{Ecc} = \text{Dist. from flg of tee to C.G. of bolt group in stem}$
 $ft = (\text{Applied tension} + Q) / Ab$
 $fv = P / (\text{Row} * \text{Column} * Ab)$
 $Fv = PHI * Fn; (PHI * Rstr / Ab, \text{ for SC bolts})$
Load = max value of P for $ft \leq PHI * Ft$ & $fv \leq Fv$
- (202) Bolt bearing, skew End PL, axial load:
 $\theta = \text{angle between beam axis and perp. to conn.}$
 $F = \text{MAX}[\text{Axial ten.}, \text{Axial compr.}]$
 $K = \text{SQRT}[\text{SQR}[PHI * Rn_edge] - \text{SQR}[F * \text{SIN}[\theta]]]$
 $M = \text{SQRT}[\text{SQR}[PHI * Rn_int] - \text{SQR}[F * \text{SIN}[\theta]]]$
 Rn_is calculated using (J3-2a) or (J3-2c)

Load = $(K + M * (\text{Row}-1)) * \text{Column}$
- (203) Net PL stress, axially loaded shr tab:
See design note #21.
 $fv/Fv + ft/Ft \leq 1$
 $Fv = PHI * .6Fy, Ft = PHI * Fu$
 $k = 1. / (Fv * An) + Eb / (Ft * Sx_net)$
Load = $(1. - \text{Axial load} / (Ft * An)) / k$
- (204) Bolt shear, shr tab with axial load:
 $Nb = \text{number of bolts}$
 $c = .5 * \text{Spacing} * (\text{Row} - 1)$
 $P = \text{vertical reaction}$
 $r1 = \text{Axial load} / Nb + P * eb * c / Ip \text{ bolt group}$
 $r2 = P / Nb$
 $Rv_allow = PHI * Fn * Ab; (PHI * Rstr, \text{ for SC bolts})$
Load = largest P to satisfy:
 $\text{SQR}[r1] + \text{SQR}[r2] \leq Rv_allow$
- (205) Bolt bearing, shr tab with axial load:
 $Nb = \text{number of bolts}$
 $c = .5 * \text{Spacing} * (\text{Row} - 1)$
 $P = \text{vertical reaction}$
 $r1 = \text{Axial load} / Nb + P * eb * c / Ip \text{ bolt group}$
 $r2 = P / Nb$
 Rn is calculated using (J3-2a) or (J3-2c)
Load = largest P to satisfy:
 $\text{SQR}[r1] + \text{SQR}[r2] \leq PHI * Rn$

- (206) Net area tension, shr tab with axial load:
 $d = Cn_depth - Row * Dh \leq .85 * Cn_depth$
 $Anet = t * d$
 Block shear tearout:
 $Rn1 = PHI(.6 * Fy * Agv + Fu * Ant)$
 $Rn2 = PHI(.6 * Fu * Anv + Fy * Agt)$
 $Rbs = MAX(Rn1, Rn2)$
 $Axial\ load = MIN[PHI * Fu * Anet, Rbs]$
- (207) W Column splice, flange Pl bolt shear:
 $N = \text{number of bolts on one side of splice}$
 $Rv_allow = PHI * Fn * Ab; \quad (PHI * Rstr, \text{ for SC bolts})$
 If input uplift > 0,
 $Uplift = 2(Rv_allow * N - Mom_col / D_col)$
 If input uplift = 0,
 $Moment = Rv_allow * N * D_col$
- (208) W Column splice, flange Pl net/gross area:
 $net_w = Pl_w - 2 * dh \leq .85 * Pl_w$
 $An = t * net_w, \quad Ag = t * Pl_w$
 $F = MIN[PHI * Ag * Fy, PHI * An * Fu, PHI * Ag * Fcr]$
 $La = D_column + t$
 If input uplift > 0,
 $Uplift = 2(F - Mom_col / La)$
 If input uplift = 0,
 $Moment = F * La$
- (209) W Column splice, bolt brg on flange Pl:
 $La = D_column + t$
 $N_e = \text{number of edge bolts, one side of splice}$
 $N_i = \text{number of interior bolts, one side of splice}$
 Rn is calculated using (J3-2a) or (J3-2c)
 If input uplift > 0,
 $Uplift = 2((Rn_e * N_e + Rn_i * N_i) - Mom_col / La)$
 If input uplift = 0,
 $Moment = PHI * (Rn_e * N_e + Rn_i * N_i) * La$
- (210) W Column splice bolt brg on flange:
 $N = \text{number of bolts on one side of splice}$
 $La = D_column - Tf$
 Rn is calculated using (J3-2a) or (J3-2c)
 If input uplift > 0,
 $Uplift = 2((Rn_e * N_e + Rn_i * N_i) - Mom_col / La)$
 If input uplift = 0,
 $Moment = PHI * (Rn_e * N_e + Rn_i * N_i) * La$

- (211) W net section allowable moment with axial tension:
 $Afg = Bf * Tf$
 $Afn = (Bf - 2 * Dh) * Tf$
- If $.75Fu * Afn \geq .9Fy * Afg$ (B10-1)
 $Moment = (PHI * Mn - ft) * Zx$
- If $.75Fu * Afn < .9Fy * Afg$ (B10-2)
 $Afe = 5 * Fu * Afn / (6 * Fy)$ (B10-3)
 $Pct_red = 1 - Afe / Afg$
 $Zx_e = Zx - 2 * (Pct_red * Afg * Depth / 2)$
 $Moment = (PHI * Mn - ft) * Zx_e$
- (212) Beam moment connection PL to column flange weld:
 Fillet weld --
 $Eff_weld = PHI * Fy * t / (.707 * 2 * PHI * Fw)$
 <= actual fillet size
 $f = .707 * Eff_weld * PHI * Fw * 2 * Weld_len$
 CJP weld --
 $Agt = t * Weld_len$
 $f = Agt * PHI * Fw$
 $Moment = f * (D + t)$
- (213) Extended clip L, supported mbr web bolt shear:
 Eccentricity considered --- Elastic method
 AISC Manual, 8th ed, page 4-58
 $n = Row - 1$, bolt is skipped on 1 row
 $C =$ vert dist from bolt group n/a to extreme bolt
 $t1 = SQR[La_x * C / Ip]$
 $t2 = (1 / (Column * n) + La * Col_spa / (2 * Ip)) ^ 2$
 Bearing type bolts:
 $Rn = PHI * Fn * Ab * Shear$
 Slip-critical bolts at factored loads:
 $Rn = PHI * Rstr * Shear$
 $Load = SQRT[SQR[PHI * Rn] / (t1 + t2)]$
- (214) Extended clip L, supported mbr web bolt bearing:
 Eccentricity considered --- Elastic
 method AISC Manual, 8th ed, page 4-58
 $n = Row - 1$, bolt is skipped on 1 row
 $C =$ vert dist from bolt group n/a to extreme bolt
 $t1 = SQR[La_x * C / Ip]$
 $t2 = 1 / (Column * n) + La * Col_spa / (2 * Ip)$
 $t2 = SQR[t2]$
 $Load = SQRT[SQR[PHI * Rn * Shear] / (t1 + t2)]$
- (215) HSS brace gusset Whitmore area yield stress:
 $delta = Weld_len * TAN(30)$
 $Ws = H + 2 * delta$
 $Axial\ Load = PHI * Fy * t * Ws$

- (216) HSS brace gusset plate buckling stress:
 Brace field welded to gusset:
 $\delta = \text{Weld_len} * \text{TAN}(30)$
 $W_s = H + 2 * \delta$
 F_a from E2-1 or E2-1, with eff. length factor ---
 $K = .5$ for gusset connecting to col and beam
 $K = 1.2$ for all other gussets
 $A_g = W_s * t$
 Axial Load = $\text{PHI} * A_g * F_{cr}$
- (217) HSS brace gusset gross area ten. stress:
 $\delta = \text{Weld_len} * \text{TAN}(30)$
 $W_s = H + 2 * \delta$
 $A_g = t * \text{MIN}[W_s, b]$
 Axial load = $\text{PHI} * A_g * F_y$
- (218) HSS brace intersection gusset gross area compr. stress:
 $\delta = \text{Weld_len} * \text{TAN}(30)$
 $W_s = H + 2 * \delta$
 $E_w = \text{MIN}[W_s, b]$, effective width
 $A_g = E_w * t$
 $K = 1.2$ (effective length factor)
 Axial load = $\text{PHI} * F_{cr} * A_g$
- (219) Starred L brace-to-gusset bolt shear:
 Two cols, Number of bolts = $2 * \text{Row}$
 4 cols, Number of bolts = $4 * \text{Row} - 2$
 Bearing type bolts:
 Axial load = $\text{PHI} * F_n * A_b * \text{Number of bolts}$
 Slip-critical bolts at factored loads:
 Axial load = $\text{PHI} * R_{str} * \text{Number of bolts}$
- (220) Starred L brace gusset tearout:
 b_b = Back to back spacing of angles in the plane
 of the gusset.
 Two bolt cols -
 $A_{nt} = t(b_b + 2 * g_1 - D_h)$
 $A_{nv} = 2t[(\text{Row} - 1) * (S - D_h) + \text{Edge_dist} - .5D_h]$
 $A_{gt} = t(b_b + 2 * g_1)$
 $A_{gv} = 2t[(\text{Row} - 1) * S + \text{Edge_dist}]$
 Four bolt cols -
 $A_{nt} = t(b_b + 2(g_1 + g_2) - 3D_h + 2 * S_g)$
 $A_{nv} = 2t[(S - D_h)(\text{Row} - 2) + .5S + \text{Edge_dist} - .5D_h]$
 $A_{gt} = t(b_b + 2(g_1 + g_2))$
 $A_{gv} = 2t[S(\text{Row} - 2) + .5S + \text{Edge_dist}]$
 $R_{n1} = \text{PHI}(.6 * F_y * A_{gv} + F_u * A_{nt})$
 $R_{n2} = \text{PHI}(.6 * F_u * A_{nv} + F_y * A_{gt})$
 Axial load = $\text{max}(R_{n1}, R_{n2})$
- (221) Starred L brace gusset PL stress:
 $A_{gt} = t * b$
 $\text{Net_width} = t - \text{Column} * D_h + \text{add} \leq .85 b$
 Two cols, add = 0.; 4 cols, add = $2 * S_g$
 $A_{nt} = t * \text{Net_width}$
 Axial load = $\text{MIN}[\text{PHI} * F_y * A_{gt}, \text{PHI} * F_u * A_{nt}]$
- (222) Vert brace gusset clip angle leg gross stress:
 (See Design Notes for interface forces)
 $f_t / F_t + f_v / F_v \leq 1$
 $F_t = \text{PHI} * F_y, F_v = \text{PHI} * .6F_y$
 $k = e_c / F_t + \beta / F_v$
 Axial load = $r * A_g / k$

(223) Not used

(224) Wide flange vert. brace claw angle block shear tearout:

$$\begin{aligned} \text{Ant} &= 4 * t (\text{Angle leg} - g - .5 * \text{Dh}) \\ &\quad (\text{At checked for each angle leg}) \\ \text{Anv} &= 4 * t (\text{Spa} * (\text{Row} - 1) + \text{Le} - (\text{Row} - .5) * \text{Dh}) \\ \text{Agt} &= 4 * t (\text{Angle leg} - g) \\ &\quad (\text{At checked for each angle leg}) \\ \text{Agv} &= 4 * t (\text{Spa} * (\text{Row} - 1) + \text{Le}) \end{aligned}$$

$$\begin{aligned} \text{Rn1} &= \text{PHI} (.6 * \text{Fy} * \text{Agv} + \text{Fu} * \text{Ant}) \\ \text{Rn2} &= \text{PHI} (.6 * \text{Fu} * \text{Anv} + \text{Fy} * \text{Agt}) \\ \text{Rbs} &= \text{MAX} [\text{Rn1}, \text{Rn2}] \end{aligned}$$

$$\text{Axial load} = \text{Rbs} * \text{A} / \text{Af}$$

(225) Wide flange vert. brace web lap plate tearout:

$$\begin{aligned} \text{Ant} &= 2 * t \text{ MIN} [\text{Col_spa} - \text{Dh}, \text{Wg} - \text{Col_spa} - \text{Dh}] \\ \text{Anv} &= 4 * t (\text{Spa} (\text{Row} - 1) + \text{Le} - (\text{Row} - .5) \text{Dh}) \\ \text{Agt} &= 2 * t \text{ MIN} [\text{Col_spa}, \text{Wg} - \text{Col_spa}] \\ \text{Agv} &= 4 * t (\text{Spa} (\text{Row} - 1) + \text{Le}) \end{aligned}$$

$$\begin{aligned} \text{Rn1} &= \text{PHI} (.6 * \text{Fy} * \text{Agv} + \text{Fu} * \text{Ant}) \\ \text{Rn2} &= \text{PHI} (.6 * \text{Fu} * \text{Anv} + \text{Fy} * \text{Agt}) \\ \text{Rbs} &= \text{MAX} [\text{Rn1}, \text{Rn2}] \end{aligned}$$

$$\text{Axial load} = \text{Rbs} * \text{A} / \text{Aw}$$

(226) Wide flange vert. brace web channel tearout:

$$\begin{aligned} \text{Ant} &= (\text{Col_spa} - \text{Dh}) * \text{Tw} * 2 \\ \text{Anv} &= 4 * \text{Tw} (\text{Spa} * (\text{Row} - 1) + \text{Le} - (\text{Row} - .5) * \text{Dh}) \\ \text{Ang} &= \text{Col_spa} * \text{Tw} * 2 \\ \text{Agv} &= 4 * \text{Tw} (\text{Spa} * (\text{Row} - 1) + \text{Le}) \end{aligned}$$

$$\begin{aligned} \text{Rn1} &= \text{PHI} (.6 * \text{Fy} * \text{Agv} + \text{Fu} * \text{Ant}) \\ \text{Rn2} &= \text{PHI} (.6 * \text{Fu} * \text{Anv} + \text{Fy} * \text{Agt}) \end{aligned}$$

$$\text{Axial load} = \text{MAX} [\text{Rn1}, \text{Rn2}]$$

(227) HSS brace, welded Pl Tee ftg., tee stem to cap Pl weld:

$$\begin{aligned} \text{Fw} &= \text{PHI} * .6 \text{Fexx} (1 + .5 \text{SIN}(90)^{1.5}) \\ \text{Eff throat} &= \text{PHI} * .6 * \text{Fy} * t / (2 * \text{Fw}) \\ &\quad \leq .707 * \text{Weld leg size} \end{aligned}$$

$$\text{Fr} = \text{Eff throat} * \text{PHI} * \text{Fw}$$

$$\text{Axial load} = \text{Fr} * 2. * \text{Stem Pl width}$$

(228) HSS brace, welded Pl Tee ftg., tee stem tearout:

$$\begin{aligned} \text{Ant} &= t (\text{Col_spa} - \text{Dh}) \\ \text{Anv} &= 2t (\text{Le} + \text{S} * (\text{Row} - 1) - (\text{Row} - .5) \text{Dh}) \\ \text{Agt} &= t (\text{Col_spa}) \\ \text{Anv} &= 2t (\text{Le} + \text{S} * (\text{Row} - 1)) \end{aligned}$$

$$\begin{aligned} \text{Rn1} &= \text{PHI} (.6 * \text{Fy} * \text{Agv} + \text{Fu} * \text{Ant}) \\ \text{Rn2} &= \text{PHI} (.6 * \text{Fu} * \text{Anv} + \text{Fy} * \text{Agt}) \end{aligned}$$

$$\text{Axial load} = \text{MAX} [\text{Rn1}, \text{Rn2}]$$

(229) HSS brace, welded Pl Tee ftg., cap PL to tube weld:

$$\begin{aligned} \text{Fw} &= \text{PHI} * .6 \text{Fexx} (1 + .5 \text{SIN}(90)^{1.5}) \\ \text{L} &= 2 (5 \text{Tc} + \text{Ts} + 2 \text{Ws}) \end{aligned}$$

$$\text{Axial load} = \text{Eff_throat} * \text{Fw} * \text{L}$$

- (230) HSS brace, welded Pl Tee ftg., guss. or tee stem buckling:
 Fcr from equations (E2-1,-2,-3) with:
 $K = 1.2$ for tee stem plate
 $K = .5$ for gusset connecting to col and beam
 $K = 1.2$ for all other gussets
 $Ecc = (T_{gusset} + Ts) / 2$
 $Ew = \text{Stem pl width}; (\text{stem pl width} + 1 \text{ for guss Pl})$
 $Zx = Ew * \text{SQR}[t] / 4$
 $\text{PHI} * Mn = \text{PHI} * Fy * Zx$
 $\text{PHI} * Pn = \text{PHI} * Fcr * Ag$
 $\text{Mu} = Pu * .5 * Ecc$
 Axial load = Largest value of Pu to satisfy
 AISC equations (H1-1a) & (H1-1b)
- (231) HSS brace, welded Pl Tee ftg., cap plate shear:
 $\text{PHI} = .75$
 $U = Ts + 2Ws$
 $Pn = 2(Ws * Tc * .6 * Fy + Tw_{hss} * U * Fy_{hss})$
 Axial load = $\text{PHI} * Pn$
- (232) HSS brace, welded Pl tee ftg., tube wall strength:
 $Ws = \text{stem to cap pl weld leg size}$
 $Ae = 2Tw(5 * Tc + Ts + 2Ws)$
 Axial load = $\text{PHI} * Fy * Ae$
- (233) VB Gusset - column flange stress, with prying:
 (See Design Notes for interface forces)
 $a = .5 * (\text{Col flg ga} - tw)$, $b = \text{clip gage} - \text{clip thick}$
 $p = Cn_{depth} / Row$, $d_{prime} = Db + .0625$
 $\text{max } a = 1.25 * b$
 $b_{prime} = b - .5 * Db$
 $a_{prime} = a + .5 * Db$
 $\delta = 1 - d_{prime} / p$
 $m = p * Tf * Tf * Fy / 4.44$
 $t = (1 + \delta) * m / b_{prime}$
 Axial load = Max value of P to satisfy $Hc \leq 2 * t * Row$
- (234) Beam splice with axial load, web bolt shear:
 $n = \text{number of web bolts}$
 $t = \text{web portion of axial load}$
 $p = \text{vertical load at splice}$
 $f1 = p/n + p * Ecc(\text{Column-1}) * Col_{spa} * .5 / Ip$
 $f2 = T/n + p * Ecc(\text{Row-1}) * S * .5 / Ip$
 SC bolts:
 $Rv = \text{PHI} * Rstr * Ab * \text{shear}$
 Brg bolts:
 $Rv = \text{PHI} * Fn * Ab * \text{shear}$
 Load = max p for $\text{SQR}[f1^2 + f2^2] \leq Rv$
- (235) Beam splice with axial load, web bolt bearing:
 $n = \text{number of web bolts}$
 $T = \text{web portion of axial load}$
 $p = \text{vertical load at splice}$
 $f1 = p/n + p * Ecc(\text{Column-1}) * Col_{spa} * .5 / Ip$
 $f2 = T/n + p * Ecc(\text{Row-1}) * S * .5 / Ip$
 Rn is calculated using (J3-2a) or (J3-2c)
 Load = max p for $\text{SQR}[f1^2 + f2^2] \leq \text{PHI} * Rn$

- (236) Beam splice with axial load, web plate gross area stress:
 Shear, axial interaction: $f_v/F_v + f_a/F_a \leq 1$
 T = web portion of tension force
 C = web portion of compression force
 $F_v = \text{PHI} \cdot .6 \cdot F_y$, $F_t = \text{PHI} \cdot F_y$, $F_c = \text{PHI}_c \cdot F_{cr}$
 $K = .65$, l = dist between inside bolt cols.
 for F_{cr} calculation.
 Tension load check --
 $\text{tmp} = 1 / (A_g \cdot F_v) + E_{cc} / (S_x \cdot F_t)$
 $R_{u_t} = (1 - T / (A_g \cdot F_t)) / \text{tmp}$
 Compression load check--
 $\text{tmp} = 1 / (A_g \cdot F_v) + E_{cc} / (S_x \cdot F_c)$
 $R_{u_c} = (1 - C / (A_g \cdot F_c)) / \text{tmp}$
 Load = $\text{MIN}[R_{u_t}, R_{u_c}]$
- (237) Beam splice with axial load, web plate net area stress:
 Shear, axial interaction: $f_v/F_v + f_a/F_a \leq 1$
 T = web portion of tension force
 C = web portion of compression force
 $F_v = \text{PHI} \cdot .6 \cdot F_y$, $F_t = \text{PHI} \cdot F_u$, $F_c = \text{PHI}_c \cdot F_{cr}$
 $K = .65$, l = dist between inside bolt cols.
 for F_{cr} calculation.
 Tension load check --
 $\text{tmp} = 1 / (A_n \cdot F_v) + E_{cc} / (S_x_{net} \cdot F_t)$
 $R_{u_t} = (1 - T / (A_n \cdot F_t)) / \text{tmp}$
 Compression load check--
 $\text{tmp} = 1 / (A_n \cdot F_v) + E_{cc} / (S_x_{net} \cdot F_c)$
 $R_{u_c} = (1 - C / (A_n \cdot F_c)) / \text{tmp}$
 Load = $\text{MIN}[R_{u_t}, R_{u_c}]$
- (238) Through plate weld to HSS column:
 H = HSS dim parallel to thru plate
 W_w = fillet weld leg size
 $A_w = .707 \cdot W_w \cdot \text{weld length} \cdot 2$
 $R_u = .75 \cdot .6 \cdot F_{exx} \cdot A_w$
 $t_1 = .58917 \cdot F_{exx} \cdot W_w / F_{y_{col}}$
 For $t_1 > T_{w_{col}}$, $R_u = R_u \cdot T_{w_{col}} / t_1$
 Load = $R_u (H + E_w) / H$
- (239) HSS wall compression yielding under cap pl:
 (HSS Connections Manual formula (7-2))
 $R_n = (5 \cdot t_1 + N) \cdot F_y \cdot t \leq B \cdot F_y \cdot t$
 $N = 2 \cdot k$ dist for W beams, 2 in. for joists
 t = HSS wall thickness, t_1 = cap pl thick
 B = HSS dimension perp to beam
 $\text{PHI} = 1.0$
 Load = $\text{PHI} \cdot R_n$

- (240) HSS wall compression crippling under cap pl:
 (HSS Connections Manual formula (7-3))
 $R_n = .8 * t^2 (1 + 3(N/.5B)(t/t_1)^{1.5}) \sqrt{E * F_y (t_1/t)}$
 t = HSS wall thickness, t_1 = cap pl thickness
 $N = 2 * k$ dist for W beams, 2 in. for joists
 B = HSS dimension perp to beam
 F_y = yield strength of HSS
 E = modulus of elasticity of the HSS
 $\phi = .75$
 Load = $\phi * R_n$
- (241) HSS cap PL flexural strength, compressive reaction:
 (HSS Connections Manual formula (7-1))
 $R_n = (B * t_1^2 / 4(Nr/2 + a - H/2)) F_{y_pl}$
 t_1 = cap pl thickness
 Nr = bearing length of attached member
 a = dist from HSS centroid to end of beam
 B = HSS dimension perp to beam
 H = HSS dimension parallel to beam
 $\phi = .90$
 Load = $\phi * R_n$
- (242) W brace, web horiz, support flg local bending stress:
 θ = acute angle between brace and support member
 $Ecc = .5 * \text{Brace depth} - \text{support mbr } k_1 \text{ dist.}$
 $\text{Eff flg length} = \text{guss length} + 2 * Ecc * \tan(30)$
 $S_x = \text{Eff flange length} * T_f^2 / 6$
 $M_r = \text{Flg } F_y * S_x$
 $\text{Axial load} = M_r * 2. / (Ecc * \sin(\theta))$
- (243) W brace, web horiz, to bm & col, beam flg local bending:
 (See Design Notes for interface forces)
 $Ecc = .5 * \text{Brace depth} - \text{bm } k_1 \text{ dist.}$
 $\text{Eff flg length} = \text{guss length} + Ecc * \tan(30)$
 $S_x = \text{Eff flg length} * T_{f_bm}^2 / 6$
 $M_r = \text{Flg } F_y * S_x$
 $\text{Axial load} = \text{Max } P \text{ so that}$
 $.5 * V_b * Ecc \leq M_r$
- (244) W brace, web horiz, to bm & col, column flg local bending:
 (See Design Notes for interface forces)
 $Ecc = .5 * \text{Brace depth} - \text{col } k_1 \text{ dist.}$
 $\text{Eff flg length} = \text{guss width} + 2 * Ecc * \tan(30)$
 $S_x = \text{Eff flg length} * T_{f_col}^2 / 6$
 $M_r = \text{Flg } F_y * S_x$
 $\text{Axial load} = \text{Max } P \text{ so that}$
 $.5 * H_c * Ecc \leq M_r$
- (245) W brace, web horz, to bm & col, guss gross stress at bm:
 (See Design Notes for interface forces)
 $\text{Eff guss length} = \text{conn angle length}$
 $f_t = V_b / A_{gt} + M_b / S_x$
 $f_v = H_b / A_{gv}$
 $\text{Axial load} = \text{Max } P \text{ so that } f_t / \phi * R_n + f_v / \phi * R_n \leq 1$

- (246) W brace, web horz, to bm & col, guss gross stress at col:
 (See Design Notes for interface forces)
 Eff guss length = conn angle/bar length
 $ft = Hc / Agt + Mc / Sx$
 $fv = Vc / Agv$
 Axial load = Max P so that $ft/PHI*Rn + fv/PHI*Rn \leq 1$
- (247) W brace, web horz, to bm & col, guss net stress at bm:
 (See Design Notes for interface forces)
 Eff guss length = conn angle length
 $ft = Vb / Ant + Mb / Sx_{net}$
 $fv = Hb / Anv$
 Axial load = Max P so that $ft/PHI*Rn + fv/PHI*Rn \leq 1$
- (248) W brace, web horz, to bm & col, guss net stress at col:
 (See Design Notes for interface forces)
 Eff guss length = conn angle/bar length
 $ft = Hc / Ant + Mc / Sx_{net}$
 $fv = Vc / Anv$
 Axial load = Max P so that $ft/PHI*Rn + fv/PHI*Rn \leq 1$
- (249) W brace, web horz, to bm & col, guss L OSL stress:
 (See Design Notes for interface forces)
 T_{allow} from angle failure mode including prying
 AISC manual page 11-11, analysis for prying action.
 N = number of bolts in connection
 Clip angles at column --
 $T_{applied} = Hc / N + \text{tension from moment}$
 Clip angles at beam --
 $T_{applied} = Vb / N + \text{tension from moment}$
- (250) W brace, web horz, to bm & col, col/bm flg bending:
 (See Design Notes for interface forces)
 T_{allow} from flange failure mode including prying
 AISC manual page 11-11, analysis for prying action.
 N = number of bolts in connection
 Column flange --
 $T_{applied} = Hc / N + \text{tension from moment}$
 Beam flange --
 $T_{applied} = Vb / N + \text{tension from moment}$
 Axial load = Max P so that $T_{applied} \leq T_{allow}$
- (251) W brace, web horz, to bm & col, clip L bolts to beam
 or column -- combined tension and shear:
 (See Design Notes for interface forces)
 N = number of bolts in connection
 T_m = bolt tension from moment, Mb or Mc
 At col: $ft = (Hc / N + T_m + Q) / Ab$
 $fv = (Vc / N * Ab)$
 At bm: $ft = (Vb / N + T_m + Q) / Ab$
 $fv = (Hb / N * Ab)$
 Axial load = Max P so that $ft \leq Ft$ from
 J3-5 and J3-6
- (252) Shear end PL connection block shear:
 $Rn_a = .6Fy*Agv + Fu*Ant$ (J4-3a)
 $Rn_b = .6Fu*Anv + Fy*Agv$ (J4-3b)
 $Load = PHI * MAX[Rn_a, Rn_b]$

- (253) Clip L connection block shear:
 $Rn_a = .6Fy*Agv + Fu*Ant$ (J4-3a)
 $Rn_b = .6Fu*Anv + Fy*Agv$ (J4-3b)
 $K = PHI * MAX[Rn_a, Rn_b]$
 $Rbs_ns = \text{min value of } \bar{K} \text{ from Web leg \& Osl}$
 $Rbs_fs = \text{min value of } K \text{ from Web leg \& Osl}$
 $Load = Rbs_ns + Rbs_fs$
- (254) HSS brace, erection pin bending:
 (Principal stress method)
 Pin material $Fy = 36$ ksi
 $P =$ axial force in brace
 $L =$ ctr to ctr of HSS wall
 $fv = .5 * P / Ab$
 $fb = P * L / (4 * Sx)$
 $fv_max = SQRT[.25 * fb^2 + fv^2]$
 $fb_max = fb * .5 + SQRT[.25 * fb^2 + fv^2]$
 $Load = \text{max value of } P \text{ to satisfy:}$
 $fv_max \leq PHI * .6 * Fy$
 $fb_max \leq Fy$
- (255) HSS brace, erection pin bearing:
 $Rn1 = PHI * 1.8 * Fy_hss * Bdia * Tw * 2$
 $Rn2 = PHI * 1.8 * Fy_pl * Bdia * t_pl$
 $Load = MIN[Rn1, Rn2]$
- (256) HSS column wall yield line, at stiffened plate or tee seat:
 HSS design manual formula 4-21
 $L =$ stiff. depth, $W =$ Stiff. width
 $B =$ HSS width
 $PHI = .9,$ $e = .8 * W$
 $f = 1 / (B - .2L),$ $g = (1 + .661B/L)$
 $h = SQRT[(B - .4L) (7B + .4L)]$
 $m = B(B - .4L) / (4L),$ $n = 2L + 2.56B$
 $k = f(gh + m + n)$
 $Rn = k * t^2 * Fy_col * L / (4e)$
 $Load = PHI * Rn$
- (257) & (258) Not used

(259) Beam bolted moment conn., flange tearout:
 Ga = Flg. gage; N = number of bolt rows
 S = Bolt spa.; Ed = flg end edge dist.
 $Agv = 2 * Tf * ((Row-1) * S + Ed)$
 $Anv = 2 * Tf * ((Row-1) * S + Ed - Dh * (Row-.5))$

L shaped tearout,
 $Agt = Bf - Ga$
 $Ant = Bf - (Ga - Dh)$
 $Rn1 = .6 * Fy * Agv + Fu * Ant$
 $Rn2 = .6 * Fu * Anv + Fy * Agt$
 $Rbs = PHI * MAX [Rn1, Rn2]$

Moment = $Rbs * (Depth - Tf)$
 For axial load reduce moment by: $Ff * (Depth - Tf)$
 where Ff = the maximum flange force.

(260) Col/Bm local web crippling under vert. brace gusset:
 N = gusset length, ecc = eccentricity from gusset c/l
 Theta = angle between the brace and support
 A_web = N * Tw, web area
 $Sx_web = Tw * N * N / 6$
 Formulas (K1-4) & (K1-5a, -5b):
 Load applied at a dist. $\geq d/2$ from top of column,
 $Rn = 135 Tw^2 [1 + 3(N/d) (Tw/Tf)^{1.5}] SQRT [Fy * Tf / TS]$
 Load applied at a dist. $< d/2$ from top of column,
 $N/d \leq .2$
 $Rn = 68 Tw^2 [1 + 3(N/d) (Tw/Tf)^{1.5}] SQRT [Fy * Tf / TS]$
 $N/d > .2$
 $Rn = 68 Tw^2 [1 + (4N/d - .2) (Tw/Tf)^{1.5}] SQRT [Fy * Tf / TS]$
 $K = 1 / A_web + ecc / Sx_web$
 $Rn' = (Rn / A_web * 1 / K)$
 Axial load = $Rn' / SIN(theta)$

(261) Beam local web crippling under vert. brace gusset:
 (Brace gusset connecting to a col and beam. See
 design notes for interface forces)
 N = gusset length
 $A_web = Tw * N, Sx_web = Tw * N * N / 6$
 For $N/d \leq .2$
 $Rn = 68 Tw^2 [1 + 3(N/D) (Tw/Tf)^{1.5}] * SQRT [Fy * Tf / Tw]$
 (K1-5a)
 For $N/d > .2$
 $Rn = 68 Tw^2 [1 + (4N/D - .2) (Tw/Tf)^{1.5}] * SQRT [Fy * Tf / Tw]$
 (K1-5b)
 $Fp = PHI * Rn / A_web$
 $fp = Vb / A_web + Mb / Sx_web$
 Axial load = maximum P to satisfy $fp \leq Fp$

(262) Concentrated longitudinal load on HSS face:

HSS Connections Manual, formula 8.2-2
 t = col wall design thickness
 t_1 = conn plate thickness
 N = loaded plate length, parallel
to the column axis
 B = column face width
 $\text{PHI} = 1.0$, $Q_f = 1.0$
 $\text{term1} = F_y * t^2 / (1 - t_1/B)$
 θ = angle between col and applied load
 $\text{term2} = 2N/B + \text{SQRT}[1 - t_1/B]$
 $R_n = \text{term1} * \text{term2} * Q_f$

$$\text{Axial load} = \text{PHI} * R_n / \text{SIN}(\theta)$$

(263) HSS gross shear:

HSS Connections Manual, Specification 5.2
 H = overall height
 t = design wall thickness
 $h = H - 3t$
 $A_w = 2 * H * t$ (5.2-4)
 $V_n = F_n * A_w$ (5.2-3)

(i) $h/t \leq 2.45 \text{SQRT}[E/F_y]$
 $F_n = .6F_y$ (5.2-5)

(ii) $h/t \leq 3.07 \text{SQRT}[E/F_y]$
 $F_n = .6F_y(2.45 * \text{SQRT}[E/F_y]/(h/t))$, (5.2-6)

(iii) $h/t \leq 260$
 $F_n = .458 * \text{PI}^2 * E/\text{SQRT}[h/t]$, (5.2-7)

$$\text{Load} = \text{PHI} * V_n$$

(264) Concentrated transverse force on an HSS face:

HSS Connections Manual, Specification 8.1
See HSS connections manual for determination
of connection resistance reduction factor Q_f .
SDS2 design basis, $Q_f = 1$
 b_1 = width of the loaded plate
 t_1 or N = thickness of the loaded plate
 t = HSS design wall thickness
 B = overall HSS width
 h = flat side of HSS wall, $B - 3t$
 k = HSS outside corner radius, $1.5 * t$
Round HSS
 $\text{PHI} = 1$
 D = HSS diameter
 $R_n = Q_f * 5F_y t^2 / (1 - .81 * b_1/D)$ (8.1-1)

(264) Continued

Rectangular HSS

$$\text{PHI} = 1.0$$

$$R_n = 10F_y * t * b_1 / (B/t) \quad (8.1-2)$$

$$\text{Web yielding, PHI} = 1.$$

$$R_n = 2F_y * t * (5k + N) \quad (8.1-3)$$

$$= 2F_y * t * (2.5k + N); \quad \text{at end of HSS}$$

$$\text{Web crippling, PHI} = .75$$

$$R_n = 1.6 * t^2 [1 + 3N/h] \text{SQRT}[E/F_y] \quad (8.1-4)$$

$$\text{When } b_1 > .85B \text{ and } < B - 2t:$$

$$\text{PHI} = 1.0$$

$$b_{ep} = 10 * b_1 / (B/t) \leq b_1$$

$$R_n = .6F_y * t(2 * t_1 + 2 * b_{ep}) \quad (8.1-5)$$

$$\text{Load} = \text{PHI} * \text{MIN}[R_n]$$

(265) Concentrated longitudinal force on an HSS face:

HSS Connections Manual, Specification 8.2

See HSS connections manual for determination
of connection resistance reduction factor Q_f .
SDS2 design basis, $Q_f = 1$,

t_1 = loaded plate thickness
 N = length of the loaded plate
 t = HSS design wall thickness
 B = overall HSS width
 D = round HSS outside diameter
 $\text{PHI} = 1$

$$\text{Round HSS formula (8.2-1).}$$

$$R_n = Q_f * 5F_y * t^2 / (1 + .25N/D)$$

$$\text{Rectangular HSS formula (8.2-2).}$$

$$\text{term1} = F_y * t^2 / (1 - t_1/B)$$

$$\text{term2} = 2N/B + 4 * \text{SQRT}[1 - t_1/B]$$

$$R_n = \text{term1} * \text{term2} * Q_f$$

$$\text{Load} = \text{PHI} * R_n$$

(266) Plate pull-through along bolt line:

R_1 = number of bolts along line of force
 N_1 = number of bolt lines parallel to force
 D_h = bolt diameter + .125
 A_v = shear area for one bolt line
 N_p = number of plates
 $A_v = 2 * (\text{End_dist} + (R_1 - 1) * S - (R_1 - .5)D_h) * t$
(J4-1) shear rupture: $R_{n1} = .6 F_u * A_v$
(J5-3) shear yield: $R_{n2} = .6 A_v * F_y$
Axial load = $\text{MIN}[\text{PHI} * R_{n1}, \text{PHI} * R_{n2}] * N_1 * N_p$

For moment applications --

$$\text{Moment} = \text{MIN}[\text{PHI} * R_{n1}, \text{PHI} * R_{n2}] * N_1 * \text{Moment arm}$$

(267) Claw angle net/gross area:

(W brace, web horiz, web claw L conn)

$$\text{Gross width} = \text{Leg} + \text{Osl} - t$$

$$A_g = \text{Gross width} * t$$

$$A_n = (\text{Gross width} - D_h) * t$$

$$R_{n_g} = \text{PHI} * F_y * A_g \quad (J5-1)$$

$$R_{n_n} = \text{PHI} * F_u * A_n * U \quad (J5-2)$$

$$\text{Axial load} = 4 * \text{MIN}[R_{n_g}, R_{n_n}]$$

(268) Claw angle tearout:

(W brace, web horiz, web claw L conn)

$$A_{nt} = (\text{angle_toe_edge} - .5D_h) * t$$

$$A_{gt} = \text{angle_toe_edge} * t$$

$$A_{nv} = t * S * (\text{Row} - 1) + L_e - (\text{Row} - .5) * d_h$$

$$A_{gv} = t * S * (\text{Row} - 1) + L_e$$

$$T_1 = .6F_y * A_{gv} + F_u * A_{nt} \quad (J4-3a)$$

$$T_2 = .6F_u * A_{nv} + F_y * A_{gt} \quad (J4-3b)$$

$$\text{Axial load} = 4 * \text{PHI} * \text{MAX}[T_1, T_2]$$

(269) W brace net/gross area:

(W brace, web horiz, web claw L conn)

$$A_g = (D - 2T_f)T_w + 2B_f * T_f + \text{Fillet Area}$$

- (270) V brace, guss shr tab weld to col:
 (guss to col and beam)
 $ew = \text{eccentricity of load}$
 $mom = vc * ecc$
 $f1 = vc / \text{weld_len}$
 $f2 = 0$
 $f3 = mom * (\text{weld_len} / 2) / Ix$
 $f4 = hc / \text{weld_len}$
 $fr = \text{SQRT}[(f1 + f2)^2 + (f3 + f4)^2]$
 $Fr = PHI * 0.707 * 0.6 * Fexx * Eff_weld$
 $load = 2 * Fr / fr$
- (271) H brace guss to L bolt shr
 (guss clip L to bm web conn)
 $ex = \text{eccentricity in the x direction}$
 $ey = \text{eccentricity in the y direction}$
 $Rv = Fv * Ab$
 $num = Row * Column$
 $dx = Spa * (Row - 1) / 2$
 $dy = Col_spa * (Column - 1) / 2$
 $px = P * \cos(Phi)$
 $py = P * \sin(Phi)$
 $mom = \text{abs}(px * ey - py * ex)$
 $fx = px / num + mom * dy / Ip$
 $fy = py / num + mom * dx / Ip$
 $fv = \text{SQRT}(fx^2 + fy^2)$
 Axial load = maximum P to satisfy $fv \leq Rv$
- (272) H brace guss to L bolt brg:
 (guss clip L to bm web conn)
 $ex = \text{eccentricity in the x direction}$
 $ey = \text{eccentricity in the y direction}$
 $Rv = PHI * Fp * Db * Tf$
 $num = Row * Column$
 $dx = Spa * (Row - 1) / 2$
 $dy = Col_spa * (Column - 1) / 2$
 $px = P * \cos(Phi)$
 $py = P * \sin(Phi)$
 $mom = \text{abs}(px * ey - py * ex)$
 $fx = px / num + mom * dy / Ip$
 $fy = py / num + mom * dx / Ip$
 $fv = \text{SQRT}(fx^2 + fy^2)$
 Axial load = maximum P to satisfy $fv \leq Rv$
- (273) H brace guss to L weld:
 (guss clip L to bm web conn)
 $length = \text{angle length}$
 $side = 1 \text{ for a one side clip}$
 $= 2 \text{ for a two sided clip}$
 $k = Leg - \text{Setback}$
 $Weld_len = side * (length + 2 * k)$
 $Fr = PHI * 0.707 * 0.6 * Fexx * \text{min}(Eff_weld, Weld_size)$
 Axial load = $Fr * Weld_len$

```

(274) H brace guss L, bolt brg on bm web:
      (guss clip L to bm web conn)
      coef = bolt group center of rotation
      Rv = bearing tearout strength
      side = 1 for a one side clip
            temp = Shear * coef * Row * Rv
      side = 2 for a two sided clip
            temp = 2 * Shear * Row * Rv
      Axial load = temp / cos(Phi)

(275) H brace guss to L weld:
      (guss clip L to bm web conn)
      x0 = angle leg + bm tw / 2
      y0 = brace wp to centerline of angle
      length = angle length
      side = 1 for a one side clip
            = 2 for a two sided clip
      wx = Leg - Setback
      wy = length
      x bar = (wx)^2 / Weld_len
      y bar = wy / 2
      Ix = (wy)^3 / 12 + 2 * wx * (y bar)^2
      Iy = (wx)^3 / 6 + 2 * wx * (.5 * wx - x bar)^2 + wy * (x bar)^2
      Ip = Ix + Iy
      m = ( 1/Weld_len + y0 * wy / (2 * Ip) )^2
      k = ( 1/Weld_len + x0 * (wx - x bar) / (2 * Ip) )^2
      denom = sin(phi)^2 * m + cos(phi)^2 * k
      Rv = PHI * 0.707 * 0.6 * Fexx * min(Eff_weld, Weld_size)
      Axial load = side * SQRT( (Rv)^2 / denom )

(276) H brace guss gross area interactive stress:
      (guss clip L to bm web conn)
      Refer to misc design note 32;
      x0 = angle leg + bm tw / 2
      length = angle length
      Ag = length * Tf
      Sx = Tf * (length)^2 / 6
      tau = cos(Phi) / Ag
      sigma = sin(Phi) / Ag + cos(Phi) * x0 / Sx
      Axial load = maximum to satisfy the yield criterion

```

- (277) H brace guss net area interactive stress:
 (guss clip L to bm web conn)
 $x_0 = \text{angle leg} + \text{bm tw} / 2$
 $\text{length} = \text{angle length}$
 $\text{net length} = \text{length} - (\text{row} - 1) * \text{dh}$
 $A_n = \text{net length} * \text{thick}$
 $F_v = \text{PHI} * 0.6 * f_y$
 $F_t = \text{PHI} * f_y$
 $t_1 = \cos(\text{Phi}) / (A_n * F_v)$
 $t_2 = \sin(\text{Phi}) / (A_n * F_t)$
 $t_3 = \cos(\text{Phi}) * x_0 / (S_x_{\text{net}} * F_t)$
 $\text{Axial load} = \text{shear} / (t_1 + t_2 + t_3)$
- (278) H brace guss L to bm bolts, shr/ten:
 (guss clip L to bm web conn)
 $\text{num} = \text{Row} * \text{Column}$
 $b = \text{gage} - T_f$
 if Column = 2
 $f_v = P * \cos(\text{Phi}) / (\text{num} * A_b)$
 $f_t = \text{tension per bolt with prying}$
 if column = 1
 $f_1 = P * \cos(\text{Phi}) / \text{Row}$
 $\text{mom} = P * \cos(\text{Phi}) * \text{gage}$
 $f_2 = \text{mom} * .5 * S_{pa} * (\text{Row} - 1) / I_p$
 $R_v = \text{SQRT}(f_1 * f_1 + f_2 * f_2)$
 $f_v = R_v / A_b$
 $f_t = \text{tension per bolt with prying}$
 $F_v = \text{allowable bolt shear}$
 $F_t = \text{allowable bolt tension}$
 $\text{Axial load} = \text{max } P \text{ to satisfy } f_v \leq F_v \ \& \ f_t \leq F_t$
- (279) H brace guss L OSL bending with prying:
 (guss clip L to bm web conn)
 (AISC 'Engr. Journal', Vol. 22, No 2, page 65
 and 9th ed AISC, pg 4-90)
 $T_f = C_n \text{ thick}$
 $p = C_n \text{ depth} / \text{Row} \quad d' = D_b + 1/16 \text{ (} D_b + 2 \text{ mm)}$
 $\Delta = 1 - d' / p \quad M = p * T_f^2 * F_y / 4.44$
 $T = (1 + \Delta) * M / b'$
 $\text{Tension} = \text{Column} * \text{Row} * T$
- (280) Bolted moment connection with HSS column:
 (Flange plate Weld to Column)
 $\text{Col_face} = \text{Width of HSS column} - 2 * \text{Corner Radius}$
 $\text{Con_depth} = 3/4 \text{ HSS column depth} - \text{Corner Radius}$
 $T_f = \text{Thickness of the flange plate}$
 $\text{Eff_weld_plate} = \text{PHI} * 0.6 * F_y * T_f / (\text{PHI} * 0.707 * 0.6 * F_{exx} * 2)$
 $\text{Eff_weld_column} = \text{PHI} * 0.6 * F_y * T_w / (\text{PHI} * 0.707 * 0.6 * F_{exx})$
 $\text{Eff_weld} = \min(\text{Eff_weld_plate}, \text{Eff_weld_column})$
 $F_r = 2 * 0.707 * \text{Eff_weld} * 0.3 * F_{exx}$
 $F_{r_perp} = 1.5 * F_r * \text{Col_face}$
 $F_{r_para} = 2 * F_r * \text{Con_depth}$
 $\text{Moment} = (F_{r_perp} + F_{r_para}) * (D + T_f)$

- (281) Bolted moment connection with HSS column:
 (Flange plate Tension / Compression)
 $P_w = \text{Total flange plate Width}$
 $\text{Col_width} = \text{width of HSS column}$
 $T_f = \text{Thickness of the flange plate}$
 $W_s = 0.5 * (P_w - \text{Col_width} - 0.125)$
 $A_g = W_s * 2 * T_f$
 $\text{Moment} = Q_s * \text{PHI} * F_y\text{_plate} * A_g * (D + T_f)$
- (282) Axially load shear tab fillet welds:
 $f_{t1} = \text{applied axial load} / (2 * \text{conn_depth})$
 $f_{t2} = R * e_w * .5 * \text{conn_depth} / I_x; \text{twisting}$
 $f_v = R / (2 * \text{conn_depth})$
 $f_r = \text{SQRT}(f_v^2 + (f_{t1} + f_{t2})^2)$
 $F_r = \text{PHI} * F_w * A_w, \text{ Table J2.5}$
 Load = largest R to satisfy $f_r \leq F_r$
- (283) HSS col wall strength:
 (Beam to column welded moment connection)
 HSS Connections Manual, Specification 8.1
 $\text{Moment} = (D - T_f) * \text{Load result from formula 264}$
- (284) End pl strength, HSS beam with axial load:
 (HSS Manual page 6-40 thru 43)
 $p = \text{plate length tributary to each bolt}$
 $a = \text{dim from bolt line to side face of HSS}$
 $b = \text{plate horiz edge dist; } t_1 = \text{pl thickness}$
 $n = \text{number of bolts}$
 $\text{PHI_rn} = \text{design tensile strength of one bolt}$
 $D_h = B_{dia} + 1/8$
 $a' = a + .5 * D_h; \quad b' = b - .5 * D_h + t$
 $\text{delta} = 1 - D_h / p$
 $r_{ut} = P_u / n; \text{ external tensile load on one bolt}$
 $K = 4 * b' / (\text{PHI} * F_y\text{_plate} * p); \quad \text{PHI} = .9$
 $\text{term1} = K * \text{PHI_rn} / t_1^2 - 1$
 $\text{term2} = (a + .5 * D_h) / (\text{delta}(a + b + T_w))$
 $\alpha = \text{term1} * \text{term2} \geq 0.$
 $\text{PHI_Rn} = t_1^2 * (1 + \text{delta} * \alpha) n / K$
 $\text{Axial_load} = \text{PHI_Rn}$
- Bolt tension including prying:
 $r_{ut} * (1 + (b'/a') * (\alpha / (1 + \alpha)))$
 where $\alpha = K * (r_{ut} / t_1^2 - 1)$

- (285) End pl weld strength, HSS beam with axial load:
 (HSS Manual page 6-40 thru 43)
 H = HSS section depth
 f_h = applied ten / (2.* H)
 F_w = .6 F_{exx}
 When tension predominates, $d_{sn} \text{ shr}/d_{sn} \text{ ten} \leq .15$:
 F_w = .6 F_{exx} (1.+5 SIN^{1.5}(theta)), theta = 90 deg
 F_r = PHI * F_w * .707 * weld size
 $Load$ = 2 * H * SQRT(F_r^2 + f_h^2)
- (286) End plate bolt shear strength, HSS beam with axial load:
 (HSS Manual page 6-40 thru 43)
 T_b = applied tension per bolt with prying
 from formula 284
 Slip-critical bolts J-8a:
 r_{str} = 1.13* μ * T_b N_s
 $Load$ = PHI* r_{str} * number of bolts
- Bearing bolts J3-7:
 f_t = T_b / A_b
 f_v = max value from interaction eqns, Table J3.5
 $Load$ = f_v * A_b * number of bolts
- (287) Block shear rupture strength, with applied axial tension:
 AISC specification section J4.3
 t_1 = thickness required for axial tension, (J4-3a & -3b)
 t_2 = thickness required for shear (J4-3a & -3b)
 Elliptical interaction.....
 $Reqd\ T$ = SQRT(t_1^2 + t_2^2)
 $Load$ = Applied shear * conn_thick / $Reqd\ T$

- (288) Flush and Extended Moment End Plate connection strength:
Refer to AISC design guide 16, analysis flow chart, for PHI factors, definitions and calculation of variables.

Plate yielding:

$$\text{PHIb Mpl} = \text{PHIb} * \text{Fypl} * \text{tp}^2 * Y$$

Bolt rupture, no prying:

$$\text{PHI Mnp} = \text{PHI} [2\text{Pt} * \text{SUM}(\text{dn})]$$

$$\text{PHI Mnp} < \text{PHIb Mpl} / 1.11$$

$$\text{PHI Mn} = \min(\text{PHI Mnp}, \text{PHIb Mpl} / \text{gamma r})$$

Thick PL behavior controlled by bolt rupture

$$\text{PHI Mnp} \geq \text{PHIb Mpl} / 1.11$$

$$\text{PHIb Mpl} / \text{gamma r} < \text{PHI Mq}$$

PHI Mn = PHI Mq; Thin PL behavior controlled by bolt rupture

$$\text{PHIb Mpl} / \text{gamma r} > \text{PHI Mq}$$

PHI Mn = PHIb Mpl / gamma r; Thin PL behavior controlled by PL yielding

$$\text{Moment} = \text{PHI Mn}$$

- (289) Shear tee flange bolts, shear/tension interaction:
rigid support, LRFD 3rd ed page 7-11 and example 10.15
n = number of bolts, n_prime = num of bolts above the NA
d_m = moment arm between the resultant ten and comp force
Pu = connection shear force
e = eccentricity of Pu from the tee flange
r_uv = Pu / n
r_ut = Pu e / 2(n_prime * d_m)
PHI r_n = PHI Ft * Ab
Ft calculated from interaction formulas sec J3
Load = maximum Pu for PHI r_n = ru_t

- (290) Shear tee flange strength, bending with prying:
rigid support, LRFD 3rd ed page 7-11 and example 10.15
n = number of bolts, n_prime = num of bolts above the NA
d_m = moment arm between the resultant ten and comp force
Pu = connection shear force
e = eccentricity of Pu from the tee flange
p = conn length / number of bolt rows
See 'prying action' page 9-10 for definition of p,
b_prime, delta, alpha_prime and t_reqd
r_ut = Pu e / 2(n_prime * d_m)
t_req = SQRT(4.44*r_ut*b_prime/(pFy(1 + delta*alpha_prime)))
Load = Maximum Pu for t_reqd = Tf

- (291) Horizontal clip angle with axial load, web bolt shear:
eccentricity not considered
Bearing type bolts:
Axial Load = $\text{PHI} * \text{Fn} * \text{Ab} * \text{Row} * \text{Column} * \text{Shear}$
Slip-critical bolts at factored loads:
Axial Load = $\text{PHI} * \text{Rstr} * \text{Row} * \text{Column} * \text{Shear}$
- (292) Horizontal clip angle with axial load, bolt bearing:
eccentricity not considered
 N_e = number of edge bolts
 $L_c = L_e - .5D_h$
 $R_{n_e} = R_n$ (J3-2a) or (J3-2c)

 N_i = number of interior bolts
 $L_c = \text{Spacing} - D_h$
 $R_{n_i} = R_n$ (J3-2a) or (J3-2c)

Load = $\text{PHI}(R_{n_e} * N_e + R_{n_i} * N_i) * \text{Shear}$
- (293) Col. web local bending stress (axially loaded hoiz. clip L):
(T_w , Depth & K_{dist} are column dimensions)
 c = Distance between the top & bot bolts
 $l = c + 12 * T_w$; effective web length
For a 1 inch wide strip of web, with fixed ends:
 $S_x = \text{SQR}[T_w] / 6$
 $L = \text{Depth} - 2 * K_{dist}$, length of 1 inch beam strip
 $d = \text{spacing} * (\text{row} - 1)$, length of distributed load
 $a = .5 * (L - d)$
 $P = 12 * \text{PHI} * F_y * S_x * L / (L^2 + 2aL - 2a^2)$
Axial load = $P * l$
- (294) Horizontal beam web to clip L weld stress:
side = 2 for a two sided clip
 $\text{Min}_{web} = .707 * \text{PHI} * F_w * \text{Weld_size} * \text{side} / F_{v_web}$
 $\text{Web_factor} = \text{MIN}[T_w / \text{Min}_{web}, 1]$
 $F_r = \text{PHI} * .707 * F_w * \text{Weld_size}$
 $L = \text{conn_depth} + 2 * (\text{conn_width} - \text{conn_stbk})$
Axial Load = $F_r * L * \text{side} * \text{Web_factor}$
- (295) Horizontal clip L to supporting web weld stress:
(if 2-sided, only the bottom angle carries load)
 $\text{Min}_{web} = .707 * \text{PHI} * F_w * \text{Weld_size} / F_{v_web}$
 $\text{Web_factor} = \text{MIN}[T_w / \text{Min}_{web}, 1]$
 $F_r = \text{PHI} * .707 * F_w * \text{Weld_size}$
 $L = \text{conn_depth} + 2 * \text{osl}$
Axial Load = $F_r * L * \text{Web_factor}$

(296) Interactive web stress, horizontal clip L with axial load:

See design note #22.

Tension load ---

Welded angle:

Coped top AND bottom -

$$A1 = tw * conn_depth$$

$$A2 = 0$$

Coped top OR bottom -

$$A1 = tw * conn_depth$$

$$A2 = tw * (conn_width - setback)$$

Uncoped -

$$A1 = tw * conn_depth$$

$$A2 = 2 * tw * (conn_width - setback)$$

$$Rv = 0.54 * Fy * (A1 + A2)$$

$$Rt1 = 0.54 * Fy * A2 + 0.75 * Fu * A1 \text{ (shear yield, tension fracture)}$$

$$Rt2 = 0.45 * Fu * A2 + 0.9 * Fy * A1 \text{ (shear fracture, tension yield)}$$

$$Rt = \text{MAX}[Rt1, Rt2]$$

Bolted angle:

Coped top AND bottom -

$$A1 = tw * conn_depth$$

$$A2 = 0$$

$$A3 = tw * (row - 1) (spacing - Dh)$$

$$A4 = 0$$

Coped top OR bottom -

$$A1 = tw * conn_depth$$

$$A2 = tw * (conn_width - setback)$$

$$A3 = tw * (row - 1) (spacing - Dh)$$

$$A4 = tw * [(Lh - 0.5 * Dh) + (column - 1) (col_spa - Dh)]$$

Uncoped -

$$A1 = tw * conn_depth$$

$$A2 = 2 * tw * (conn_width - setback)$$

$$A3 = tw * (row - 1) (spacing - Dh)$$

$$A4 = 2 * tw * [(Lh - 0.5 * Dh) + (column - 1) (col_spa - Dh)]$$

$$Rv = 0.54 * Fy * (A1 + A2)$$

$$Rt = 0.75 * Fu * A3 + 0.45 * Fu * A4$$

$$t_check = Rv * \text{SQRT}[1 - (Ten\ load / Rt)^2]$$

Compression load ----

Coped top AND bottom -

$$A1 = tw * conn_depth$$

$$A2 = 0$$

Coped top OR bottom -

$$A1 = tw * conn_depth$$

$$A2 = tw * (conn_depth - setback)$$

Uncoped -

$$A1 = tw * conn_depth$$

$$A2 = 2 * tw * (conn_depth - setback)$$

$$Rv = 0.45 * Fy * (A1 + A2)$$

Welded angle:

$$A3 = tw * conn_depth$$

Bolted angle:

$$A3 = tw * (row - 1) * spacing$$

$$Rc = 0.9 * Fy * A3$$

$$c_check = Rv * \text{SQRT}[1 - (Comp\ load / Rc)^2]$$

$$\text{Load} = \text{MIN}[c_check, t_check]$$

(1) Design calculation information/warning messages:

Certain conditions will cause informational messages to be displayed on the design calculation printout sheet. These conditions have not caused a connection to fail but nevertheless may have an impact on the design or function of the connection.

These messages are intended to call attention to local connection conditions that may need to be evaluated by the engineer who is in the best position to determine how the structure and connections are intended to function and evaluate the effects of the connection design on the structural system.

(2) Connection elements or geometry not meeting the applicable AISC design criteria, require engineering evaluation as to their suitability for the intended application.

(3) Design calculation printout sheet:

Only the conditions listed under the 'LIMIT STATE' heading will cause a connection to fail. Other allowable loads may be shown to provide additional information for the designer.

(4) Bolts:

Strengths of connections using bearing type bolts are designed for comparison with factored loads in accordance with AISC specification section J3.6

Strengths of connections using slip-critical type bolts are designed for comparison with factored loads in accordance with AISC specification sections A-J3.8 and A-J3.9.

(5) Connection ductility checks:

Double clip angle, shear end plate, shear tee
Reference: LRFD Manual, Vol II pg 9-170

Conn. bolted to the supporting member ---
Min A325 bolt diameter to preclude bolt fracture.
 $db_{min} = .163 * Tf * \text{SQRT}[(Fy/b) * K]$
 $\leq .69 * \text{SQRT}[ts]$
b = dim from hole gage line to k dist
Tee/Clip L Welded to the supporting member ---
Min E70 weld size.
 $w_{min} = .0158 * Fy * \text{SQR}[Tf]/b * K$
 $\leq 75 * ts$
b = dim. from k1 dist to toe of flg

L = connection depth
 $K = \text{SQR}[b] / \text{SQR}[L] + 2$
ts = tee stem thicknes
Tf = tee flg or angle OSL thicknes

(6) Moment connection to W column flange:

Design strength P1, P2, P3 from calculations 83, or 113.

Design strength P4 from calculation 25.

P1 = Col web yielding at bm ten or comp flange, (K1-2)

P2 = Col compression web buckling, (K1-8)

P3 = Col local tension flange flexure, (K1-1)

P4 = Col web crippling, (K1-4, -5a, -5b)

PHI*Rn = MIN[P1, P2, P3, P4]

When PHI*Rn > concentrated flange force,
stiffeners are required.

Stiffener design:

 $A_{st} = (\text{Concentrated flg force} - P_n) / F_{y_stiff}$ $F_{y_stiff} = 36$ $F_{y_col} \leq 36$; Stiffener b/t $\leq 95 / \text{SQRT}[F_{y_stiff}]$ $F_{y_col} > 36$; Stiffener b/t $\leq 65 / \text{SQRT}[F_{y_stiff}]$

(7) Prying action for tension type connections:

(Volume II, page 11-6 thru -11)

a = Edge distance of fitting $\leq 1.25 \cdot b$ (For heavy clip angles with 2 cols of bolts, a is
1.5 inches from the inside bolt col.

in formulas 27, 40, and 43)

b = Bolt C/L to face of fitting or web

T = Axial tension force/Row/Column, (applied tension/bolt)

B = Allow. tension per bolt, PHI*Rn kips

a' = $a + .5 \cdot D_b$, b' = $b - .5 \cdot D_b$ d' = $D_b + 1/16$ (Db+2 mm), rho = b'/a'p = Cn_depth/Row \leq conn gage, Delta = $1 - d'/p$ tc = $\text{SQRT}[8 \cdot B \cdot b' / (p \cdot F_y)]$ alpha = $(1/\text{delta}) \cdot [(T/B) / (t/tc)^2 - 1]$; $0 \leq \text{alpha} \leq 1$.alpha' = $[1 / (\text{delta} \cdot (1 + \text{rho}))] \cdot [(tc/t)^2 - 1]$

Design:

 $Q = B \cdot \text{delta} \cdot \text{alpha} \cdot \text{rho} \cdot (t/tc)^2$ treqd = $\text{SQRT}[(8 \cdot T \cdot b') / (p \cdot F_y \cdot (1 + \text{delta} \cdot \text{alpha}))]$

Analysis (page 11-11):

1. alpha' > 1., T_allow = $B \cdot (t/tc)^2 \cdot (1 + \text{delta})$ 2. $0 \leq \text{alpha}' \leq 1$., T_allow = $B \cdot (t/tc)^2 \cdot (1 + \text{delta} \cdot \text{alpha}')$

3. alpha' < 0, T_allow = B

1 is plate failure mode, 2 is bolt failure mode

with prying, 3 is bolt failure mode without prying

treqd = $\text{SQRT}[8 \cdot T \cdot b' / (p \cdot F_y)]$, thick. to eliminate prying force.

(8) Definition of a Rigid support:

Beam stiffness = $I_x / \text{Span Length}$

HSS/Pipe col stiffness = $I / 120$; average 10-0 story ht

The distance between beam end points must be less than or equal to $2.5 * T_w$, the supporting member web, or 2 in. max.

1. Beam to a girder web with a beam framing opposite, and beam opposite stiffness \geq beam stiffness.
 2. Beam to W col flange, with Col $I_x \geq 2 * \text{Beam } I_x$.
 3. Beam to W col flange, with $t_w\text{ col} \geq t_w\text{ beam}$ and beam opposite stiffness \geq beam stiffness.
 4. Beam to W col web, with Col $I_y \geq 2 * \text{Beam } I_x$ and col T dist / $T_w \leq 24$
 5. Beam to W col web, with a beam framing opposite and beam opposite stiffness \geq beam stiffness.
 6. Beam to a HSS or Pipe column; column not a slender wall section & col stiffness \geq beam stiffness.
- These definitions are not part of the AISC procedure which states: 'The rigidity of the support is left up to engineering judgement' - Vol II page 3-103.

(9) Single-plate shear connection:

See (25) for extended shear tab design procedures.

One bolt column, 2 to 12 bolt rows

Standard round or short slotted holes

3 in. vertical bolt spacing

(SDS/2 accepts 2 3/4 to 3 1/4 inclusive)

1 1/2 in. vertical edge distance, L_v

1 1/2 in. minimum horiz edge dist, L_h

PL thickness $\leq .5 * D_b + 1/16$ in.

$\geq L * \text{SQRT}(F_y) / (234K)$

$K = \text{PL buckling coefficient}$

$\geq 1/4$ inch

$F_y = 36$ ksi for PL. All grades of beam steel

Nominal weld metal tensile strength, $F_{exx} = 70$ ksi

Composite or non-composite beams, all loadings

Valid dihedral angle: 20 to 90 degrees.

A325 or A490 bolts only.

Perp. fillet welds: weld size $\geq 1.38 * t * F_y / (.95 * F_{exx})$

$\geq .75t$, for A36 pl material

Skew fillet welds: eff throat \geq eff throat for perp fillets.

CJP weld: eff throat = t

(For these conditions, the weld is not the critical connection element since the plate yields before the weld.)

For $A > 3.5$ in. the net plate section bending

stress is checked.

For an axial load, the net & gross pl area interactive

stress is checked, using e_b or e_w :

$f_v/F_v + f_b/F_b \leq 1$

Stabilizer bars: $b/t \leq 95/\text{SQRT}[F_y]$ and $l/r \leq 120$

For a connection with more than one bolt column, dim. 'a' is the distance from the weld line to the CG of the bolt group.

This is not a part of the AISC design procedure and will occur only on a 'user' connection.

For a supporting HSS column wall or beam web, the maximum plate thickness to prevent punching shear failure is:

$1.2 * \text{PHI}_v * F_u_{\text{HSS}} * t_{w_{\text{HSS}}} / (\text{PHI}_t * F_y_{\text{pl}})$

HSS Manual, spec equation (9.3-3)

The supporting HSS column wall or W web, strength

requires evaluation for an axially loaded shear tab. The

design of this connection for axial load is not a part of the AISC design procedure.

A 'thin-walled' HSS col. has $b/t > 238/\text{SQRT}[F_y]$

where $b =$ section depth - $3 * t_w$, AISC B5.1.

(10) Bolt and weld design eccentricities:

(Volume II Appendix C, pages C-1 & C-2; LRFD 3rd ed, pg 10-112)

Flexible support & std holes: $eb = \text{MAX}[| \text{Row} - 1 - a |, a]$ Rigid support & std holes: $eb = | \text{Row} - 1 - a |$ Flexible support & short slots: $eb = \text{MAX}[| 2 * \text{Row} / 3 - a |, a]$ Rigid support & short slots: $eb = | 2 * \text{Row} / 3 - a |$ (Rigid supports when $a > 3.5$; eb will be the
the max of eb and a , and $ew = eb$) $ew = eb + a$; ($a = \text{dim. from weld line to bolt group}$)

(11) Extended end plate moment connection:

Web weld is sized to develop the the beam web bending stress.

Eff. web weld length = dist from inner row of tension bolts +

 $2 * B_{dia}$ to the inside face of the compression flg. or beam

C/L to inside face of compression flg, whichever is smaller.

Un-stiffened four-tension bolt type:

1. A325 or A490 bolts, 3/4 to 1 1/2 dia.
2. Interactive stress checked for tension bolts in
in bearing type connections.
3. Horizontal gage \leq beam tension flg width.

Stiffened eight-tension bolt type:

1. End plate material must be A36, $F_y = 36$ ksi.
2. Beam section must be hot-rolled and included in the
AISC Allowable stress Design Selection Table.
3. Pf must not exceed 2 1/2 inches.
Vertical spacing of tension bolts $\geq 3 * D_b$,
except 3 in. may be used for $D_b < 1$ in.
4. Horizontal gage 5 1/2 to 7 1/2 inches.
5. Triangular stiff. thickness $\geq T_w$
6. A325 bolts only, 3/4 to 1 1/2 diameter.
7. Interactive stress checked for tension bolts in
bearing type connections.

When this connection frames to a W column web, the supporting
web strength needs to be evaluated.

(12) Shear connection design notes:

(Clip angle, Bent plate, Single-plate, Thru-plate, Tee,
Web plate, and End plate)

1. The connection depth will be \geq half the supported
beam 'T' distance.
2. Valid dihedral angle for bent plates:
Two side conn or plate on acute angle side
only, 56 to 90 degrees.
Plate on obtuse angle side only 18 to 90 degrees.
3. Valid dihedral angle for shear tabs:
20 to 90 degrees.
4. The weld for a shear tee is designed to develop R_o .

5. Shear tee design, AISC Vol II page 3-102:
 - One bolt column, 2 to 7 bolt rows
 - Std holes or short slots only
 - Valid for A325 & A490 bolts only; 3 in. spacing.
 - (SDS/2 accepts 2 3/4 to 3 1/4 inclusive)
 - Field bolts: Flexible support: $eb = La$
 - Rigid support: $eb = 0$
 - Shop bolts: Flexible support $eb = 0$
 - Rigid support $eb = la_x$
 - Shop weld:
 - Flexible support: $ew = 0$, Rigid support: $ew = La$
 - $Bf/2Tf \geq 6.5$, $Db/Tw \geq 2.0$
 - $(Tw/Db) / (Tf/Tw)$ approx. = .25
 - Weld metal nominal tensile str. ≥ 60 ksi

6. Connections designed for axial load:
 - a. Non-moment end pl.
 - b. Extended end pl moment conn.
 - c. Two side clip angle -- except angles welded to the supporting member.
 - d. Single-plate shear connection
 - 'Full depth' connections are designed.
 - e. bolted moment beam splice.

Since Rbs is checked using only the shear load the combined beam web stress is limited by calculation 169. Local supporting web stress calculated by formulas 174, 175 & 176 will not fail a connection, but the limiting axial load is shown on the design calculation print-out.

7. One-side (eccentric) clip angle:
 - Design is valid for Gages limited to the values recommended in AISC 'Vol II Connections'
 - Figure 3-7; 2 1/4 to 3 in. (57 - 76 mm).
 - Designs for connections using larger gages require engineering evaluation.
 - Design is valid only for standard holes in the leg of a clip angle bolted to a supporting member.

8. Web dblr. dsgn. valid only for Clip Ls or Bt pls on bms with perp end cuts and no axial load.

9. Thru plate, pipe or tube column:
 - (Not an AISC procedure)
 - Maximum of 3 bolt columns.
 - Bolt eccentricity = La .
 - Seven or fewer rows, weld eccentricity = $\text{MAX}[La, \text{row}]$
 - More than 7 rows, weld eccentricity = La
 - (For connections with $La \leq 3$, one bolt column, 7 or fewer bolts, and $tp \leq .5 * Db + 1/16$, .
 - the maximum weld size = $.75 * tp$)

(13) Vertical brace gusset connection interface forces:

AISC Uniform Force Method.

(Applies to formulas 147 thru 157)

eb = dim from brace WP to beam flange

ec = dim from brace WP to face of column

theta = angle between brace and column

alpha_ = horiz dim from face of clips to ctr of guss conn

beta_ = vert dim from beam flg to ctr of gusset conn

Gusset edge at beam (welded) is the more rigid connection:

alpha = eb * TAN(theta) - ec + beta * TAN(theta)

beta = dist from bm flange to ctr of clip conn

Both gusset edge connections (clip angles) are equally stiff:

alpha = {K' * TAN(theta) + K * SQR[alpha_/beta_]} / D

beta = (K' - K * TAN(theta)) / D

K' = alpha * (TAN(theta) + alpha_/beta_)

D = SQR[TAN(theta)] + SQR[alpha_/beta_]

K = eb * TAN(theta) - ec

Pu = axial brace force

(Hu = horiz component, Vu = vert. component)

r = SQR[(alpha + ec)^2 + (beta + eb)^2]

Hub = alpha * Pu / r, Vub = eb * Pu / r

Mub = Vub * |alpha - alpha_|
= 0 when |alpha - alpha_| <= .5

Huc = euc * Pu / r, Vuc = beta * Pu / r

Muc = Huc * |beta - beta_|

The uniform force method requires that Vub and Huc
be included in the beam-column connection design.

AISC special cases:

Special case 1

Connection to a col flange:

The couples Mub = Hub*eb and Muc = Vuc*ec/2 are considered
to have been included in the column and beam design.

See Vol II pages 7-154 and 7-155 for discussion.

Connection to a col web:

The couple Mub = Hub*(.5*Db) is considered to
to have been included in the beam design.

See Vol II page 7-143 for discussion.

Special case 2, minimizing shear in the beam-to-col conn.:

Vub is reduced by Delta_Vub

Guss to col interface: Vuc + Delta_Vub

Mub = Delta_Vub * alpha

See LRFD Vol II page 11-22 for discussion.

(14) Bent plate connections:

Bending is checked for both legs of one-side connections.

Design is valid only for standard holes in the leg to
the supporting member of a one-side conn.

(15) Double L and C brace stitch plates:

Stitch plate spacing is calculated using the overall length of
the brace, in accordance with AISC sections D2 & E4.

(16) Notes for 'heavy' clip angles, two bolt columns in each leg:
 The shear strength is reduced only for the inside bolt columns nearest the beam web. Only these bolts are assumed effective in resisting the beam's axial tension force.
 Eccentricity is considered in the design of web bolt brg. and shear stress, using the elastic method of analysis.

(17) Seated connections:

Beam to seat connection made using A325 or A490 bolts.
 For stiffened seats, the stiffener is finished to bear on the seat plate or angle leg.
 Weld return length = $.2 * \text{stiffener depth}$ for all plate and tee seats.

Stiffened PL & Tee seat design procedure is valid for:

Seats on W col webs --

1. 'Standard' column sections
2. Seat pls not welded to col flanges
 (Welding seat pls to the col flanges may induce moments into the column cross section.)
3. Beam to seat connection bolts located \leq the maximum of $.5 * \text{seat width}$ or $2 \frac{5}{8}$ inches from the face of the web.

(18) Definition of a standard W column section:

1. $T / t_w \leq 36.1$
2. Nominal depth ≤ 14
3. $d * t_w^3 / (bf * t_f^3) \leq .362$
4. Wt per ft ≤ 730

(19) Welding:

Reference code: AWS D1.1-96 Structural Welding Code

Maximum effective fillet weld sizes:

$$F_v = \text{PHI} * .6 * F_{exx}$$

t = appropriate supported or supporting member thickness

V_w = coefficient tabulated below

$$\text{Eff}_{\text{weld}} = \text{PHI} * .6 * F_y * t / (.707 * F_v * V_w)$$

Two side clip L, Bent pl, or End shear pl to a supported beam web, V_w = 2

One side clip L or Bent pl to supported beam web, V_w = 1

Seats on opposite sides of a W col web, V_w = 2

Seats on a W col flg, or web without a member opposite or Seats to a tube column, V_w = 1

Brace gusset pl to beam or col, V_w = 2

Effective throat for skew fillet welds:

theta1 = Acute dihedral angle

theta2 = 180 - Theta1

Weld1 = weld size on acute angle side

Weld2 = weld size on obtuse angle side

T1 = $.5 * \text{Weld1} / \text{SIN}(.5 * \text{theta1})$ - Z loss reduction

Z loss = 1/4, Theta1 < 45; 1/8, 45 < Theta1 < 60 degrees

Alpha = Theta2 - 90, theta = 90 - theta2 / 2

K = t * TAN(Alpha) * SIN(Theta)

T2 = $.5 * \text{Weld2} / \text{SIN}(.5 * \text{theta2})$ - K

Eff_throat = T1 + T2

(90 deg dihedral angle: Eff_throat = SIN(45) * Weld1 * 2)

Fillet weld strength per inch: $1.392 * D$ (table J2.5)

D = # of sixteenths in weld size.

$F_{exx} = 70$, $\phi = .75$, $R_n = .6 * F_{exx} * A_w$

Complete joint penetration welds:

CJP welds may be designed for a beam flange at an extended moment end pl, flange plate moment connection to a W column, column flange stiffener, shear tab or a skew end plate. Matching weld metal must be used for these welds. See AISC Table J2.5 & AWS D1.1, Table 3.1

Single-plate shear connection weld types:

Dihedral angle = 90 degrees: perpendicular fillets

90 > Dihedral angle \geq 60 degrees:

Skew fillets with a $R_{n1} \leq 3/16$ in.

TCU-4b with a R_{n1} exceeding $3/16$ in.

(AWS D1.1, figure 3.11)

60 > Dihedral angle \geq 45 degrees: TCU-4b

Prequalified

45 > Dihedral angle \geq 20 degrees: TCU-4a

Not prequalified

20 degrees > Dihedral angle: not allowed.

(20) Transverse beam stiffeners:

Stiffeners are designed in accordance with AISC K1.9.

Stiffener welds are the AISC minimum size fillets and

the stiffener ends must be finished to bear on the

loaded flange.

(21) Notes on formulas 126, 169 and 203:

These equations check the combined stress on an element where the maximum normal and shear stress occur at the same time; a situation not covered by the AISC specification. SDS/2 uses a linear interaction equation:

$f_v/F_v + f_b/F_b \leq 1$, or $f_v/F_v + f_t/F_t \leq 1$.

(There is a brief discussion of this in 'Engineering Journal' third quarter, 1986)

(22) Extended clip angle connection:

An extended clip angle may be used on a beam without an axial load

and with a square end cut. The yield strength of the web pl

extension must match the yield strength of the beam, and

a CJP weld must be used at the junction of the pl and beam.

(23) Clip angles shop welded to a supporting HSS col:

When the toe of the leg attached to the column extends past the column the flare-bevel-groove shop weld at the tube radius corner must provide an effective throat dimension equal to the fillet weld size shown on the detail and design calculation.

(24) HSS Design wall thickness:

The design wall thickness is taken as .93 times the nominal wall thickness for HSS sections not manufactured by the submerged arc welding process: see the Specification for the Design of Steel Hollow Structural Sections, section 1.2.1 and commentary.

(25) Extended shear tab design:

Design of Extended Shear Tabs, AISC final report, Oct 2002

Two to 10 bolt rows, one bolt column

Bolt line ≥ 2.5 , ≤ 3.5 in. from the toe of the supporting mbr flange
A325 or A490 bolts, STD or SSL holes.

Stability PLs at top and bottom of a tab to a col web

Shear tab extended & welded to the top flg of a supporting bm.

Fillet weld size $\geq .75 * \text{plate thickness}$

Dim a = distance from bolt line to centroid of weld group.

Eccentricity:

For $n \leq 6$; $e_b = n \leq \text{Dim a}$

For $n > 6$; $e_b = 3 + n/2 \leq \text{Dim a}$

$e_w = (\text{Dim a} - e_b - \bar{x}_{\text{weld}})$

(26) Column web panel-zone shear:

Total shear, $\text{Sigma Fu} \leq \text{PHI Rv}$, (C-K1-3)

dc = column depth

$$\text{Min Tw} = \text{Sigma Fu} / (\text{PHI} * .6\text{Fy} * \text{dc})$$

(27) Concentrated forces on HSS

Formulas 264 and 265 are from the Specification for the Design of Steel Hollow Structural Sections, Sections 8.1 and 8.2. The resistance is based on the connection element being centered on the supporting member and Q_f is taken equal to 1.0 for all cases; which may be unconservative when there is compression stress in the supporting member.

- (28)W Beam or Column web stress under a K brace gusset PL:
 Web stress is calculated using the input brace forces.
 Theta = the angle between the brace and the member
 Ecc = the eccentricity of the brace normal force
 measured from the gusset C/L
 Normal forces: Tn1, Tn2, Cn1, Cn2 = brace force * Sin(Theta)
 Tn1, Cn1 -- ten and comp on the first brace
 Tn2, Cn2 -- ten and comp on the second brace
 Eff web length = gusset length + 5 * k_dist_bm
 $A = tw * \text{eff web length}, S = tw * (\text{eff web len})^2 / 6$
 $F_p = P/A \pm M/S$
 Fp is the max resulting from combinations:
 Tn1 & Tn2, Cn1 & Cn2, Tn1 & Cn2, and Cn1 & Tn2.
 M = appropriate force, Tn or Cn * Ecc.
 The results shown are the max Fp, tension and comp. stress.
- (29)Extended shear end plate for axial loads:
 For a tension loaded end plate connection to a column:
 The flange-to-plate weld is designed for the flange's portion of
 the axial load. The web-to-plate weld is designed for the web's
 portion of the axial load plus the beam end reaction.
 Prying action is based on the larger of: the distance from the face
 of the web to the bolt, and the inside of the flange to the bolt.
 The vertical eccentricity from the c.g. of the bolt group to the
 beam's longitudinal axis is considered for the limit states
 applying to the bolts, and plate: formulas 27, 60 & 61.
 The user must verify that adequate connection rotation
 capacity is provided for gravity loads.
- (30)Safety seat angle:
 The angle seat design is based on a load of one-half
 the beam section weight, with a minimum of .7 kip.
 The design limit states are: bolt shear, bolt bearing
 on the angle, and OSL bending stress;
 formula (1) for bolt shear and (28) for OSL bending.
- (31)Whitmore effective width section:
 The theoretical Whitmore section, at the end of
 a connection, is determined by spreading the force out
 at an angle of 30 degrees along both sides of the
 connection length. The Whitmore section is limited by the
 edges of the element and may not spread out past
 these edges. See Fig 9-1 in the third Edition LRFD manual.

(32) Combined stress, Huber-von Mises yield criterion for plane stress:

```
tau = applied shear stress
sigma = applied tension stress
•sigma1 = .5 * sigma + sqrt( .25 * sqr(sigma) + sqr(tau) )
•sigma2 = .5 * sigma - sqrt( .25 * sqr(sigma) + sqr(tau) )
  Salmon/Johnson, 'Steel Structures' 3rd edition, formula 2.6.2:
•sqr(Y) = sqr(sigma1) - sigma1 * sigma2 + sqr(sigma2)
  substituting:
sqr(Y) = sqr(sigma) + 3 * sqr(tau)
Y = .6Fy for ASD;      .9Fy for LRFD
```

*** END OF COVER SHEET ***

